



# Inclusive Jet Production at the Tevatron

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On behalf of the CDF Collaboration

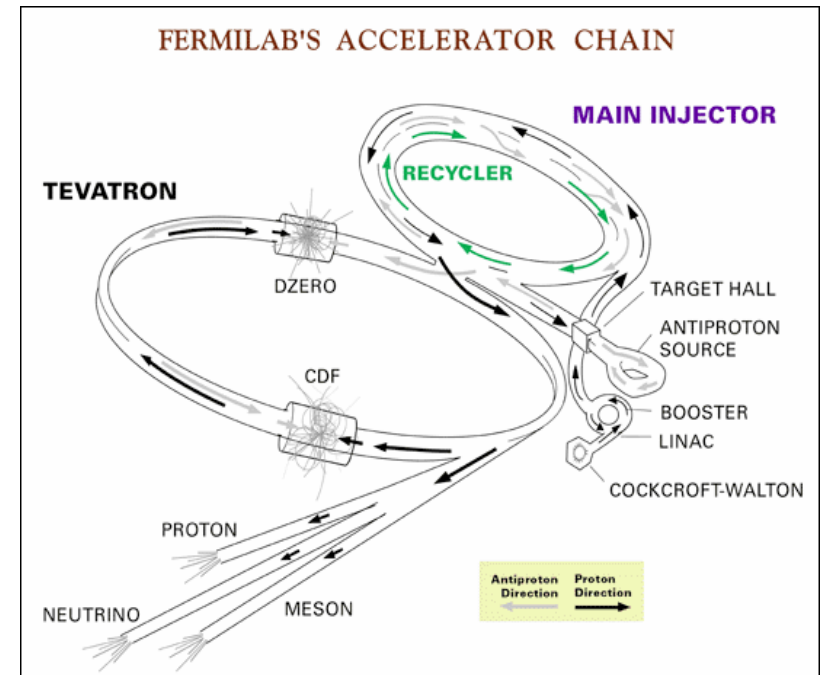
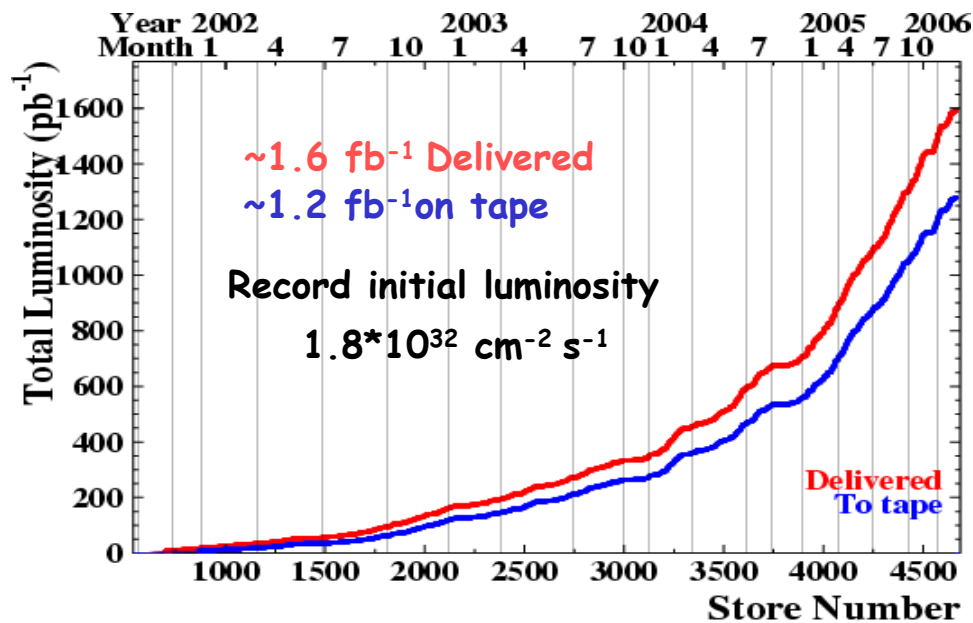


Deep Inelastic Scattering Workshop 2006



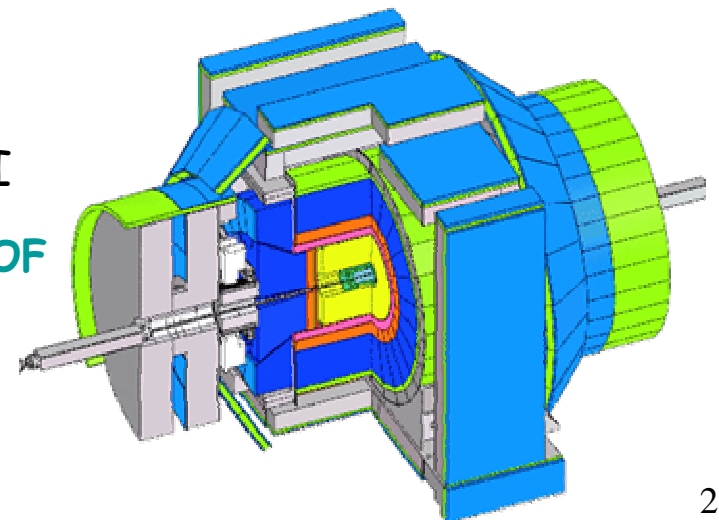
# Tevatron & CDF II

- Proton - antiproton collider
- $\sqrt{s} = 1.96 \text{ TeV}$  (Run I → 1.8 TeV)



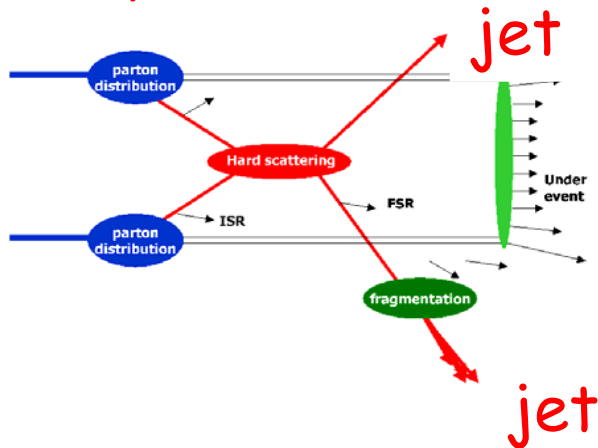
→ CDF detector was highly upgraded for Run II

- New Silicon tracking, drift chamber and TOF
- New Plug Calorimeters
- Upgraded Muon system
- New DAQ electronics & Trigger



# Jets @ Tevatron

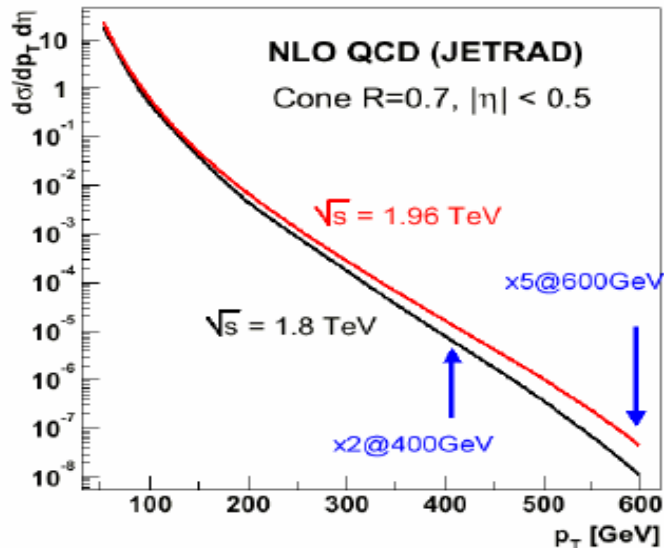
## Jet production



→ Stringent test of p-QCD

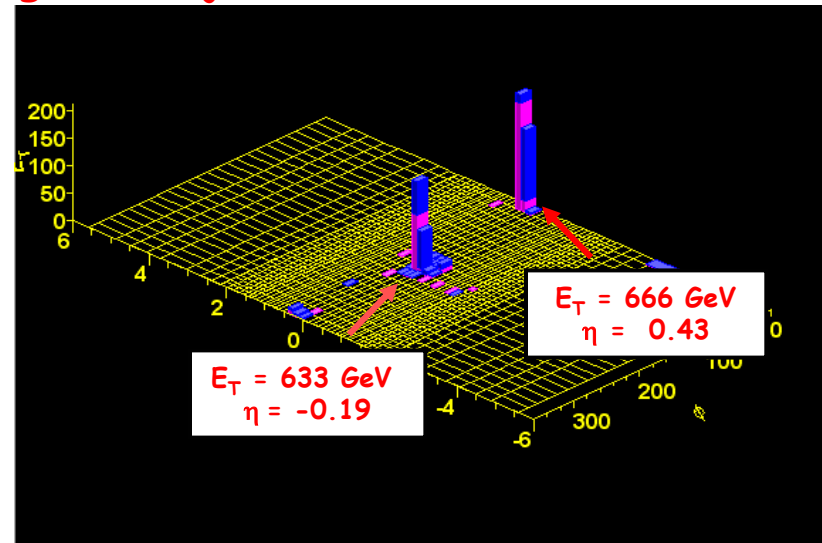
- Over 9 order of magnitude
- Sensitivity to distances  $\sim 10^{-19}$  m

→ Tail sensitive to new physics and PDFs

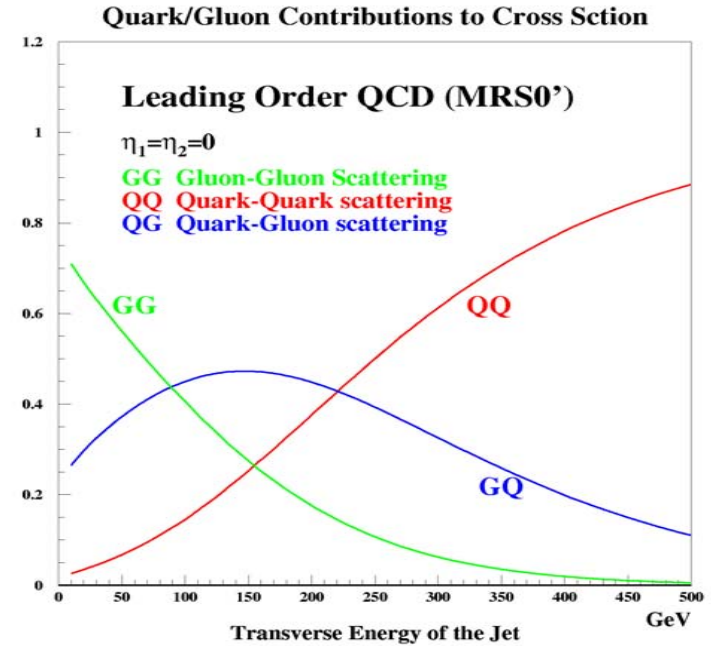
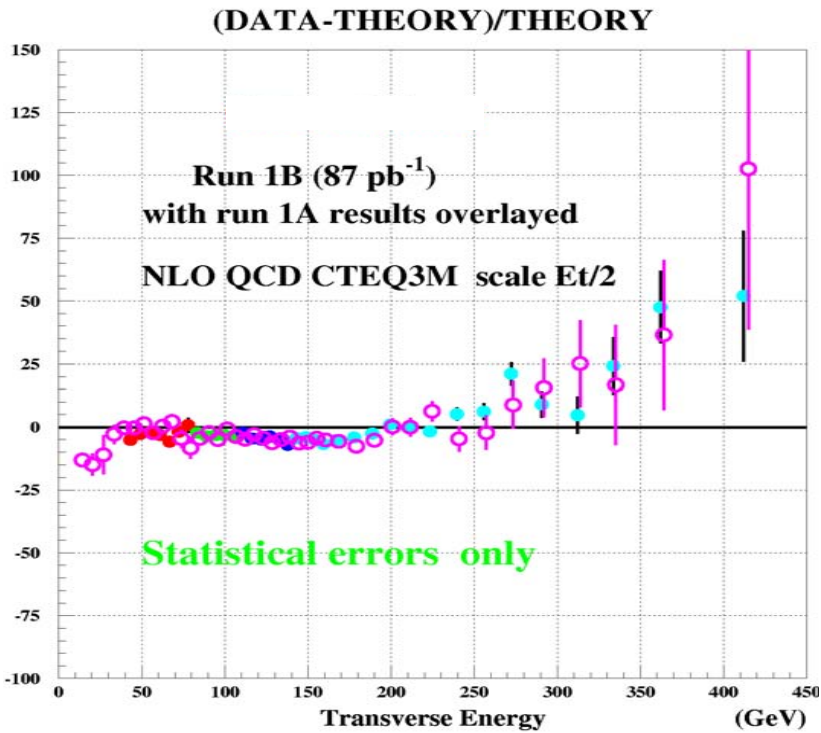


- Higher  $\sigma_{jet}$  with respect to RunI
- Increased  $p_T$  range for jet production

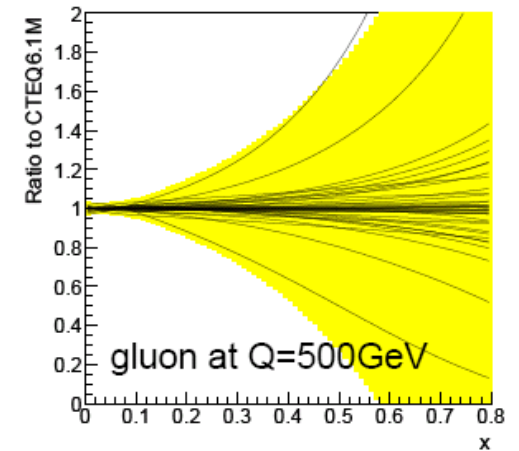
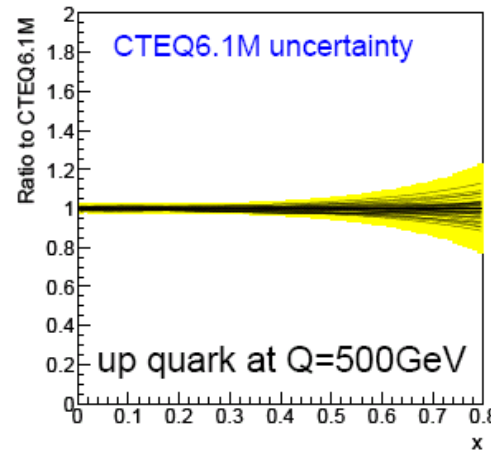
Highest dijet mass so far:  $Mass \cong 1.3$  TeV



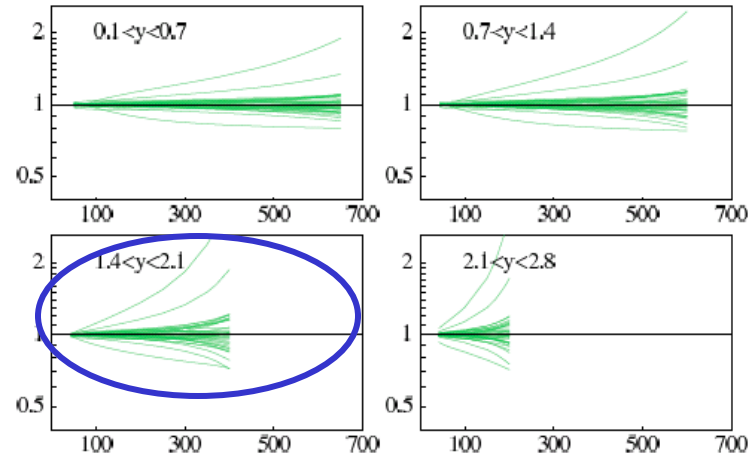
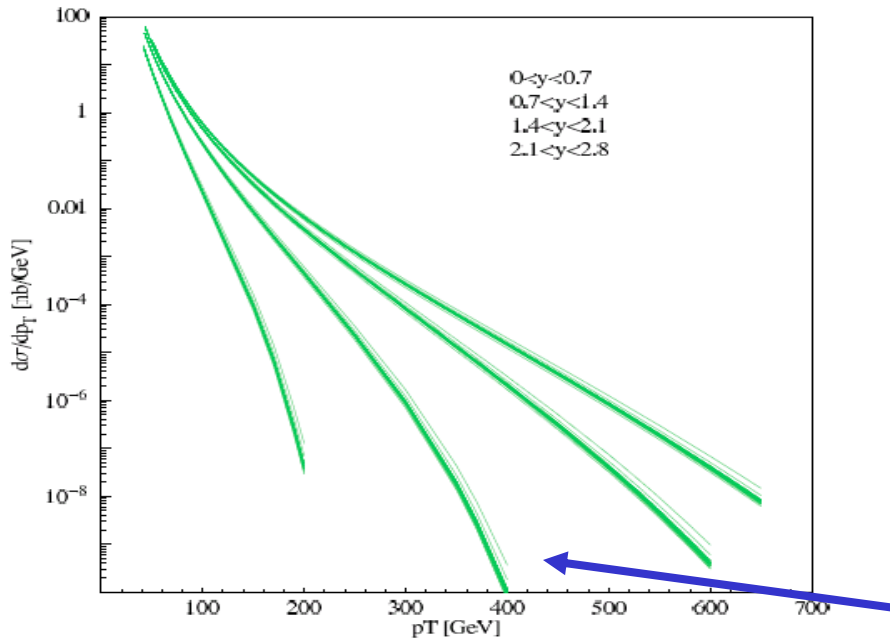
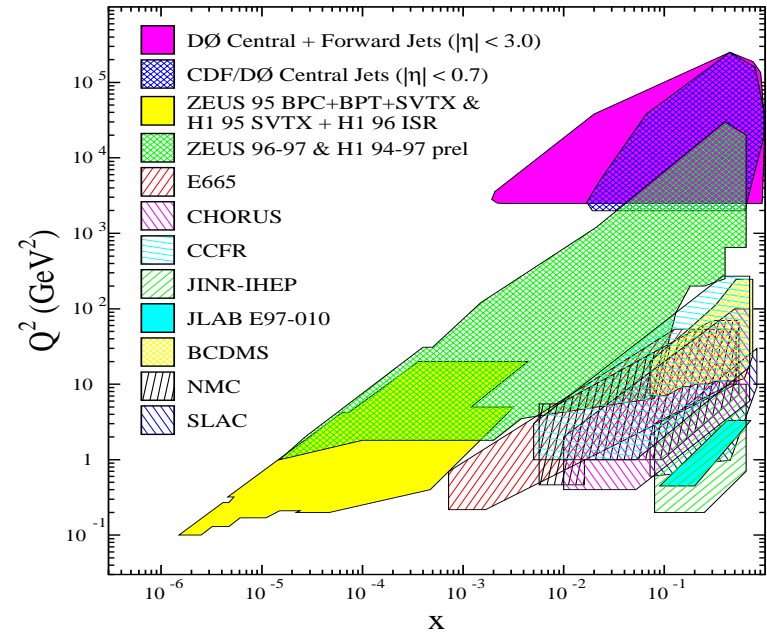
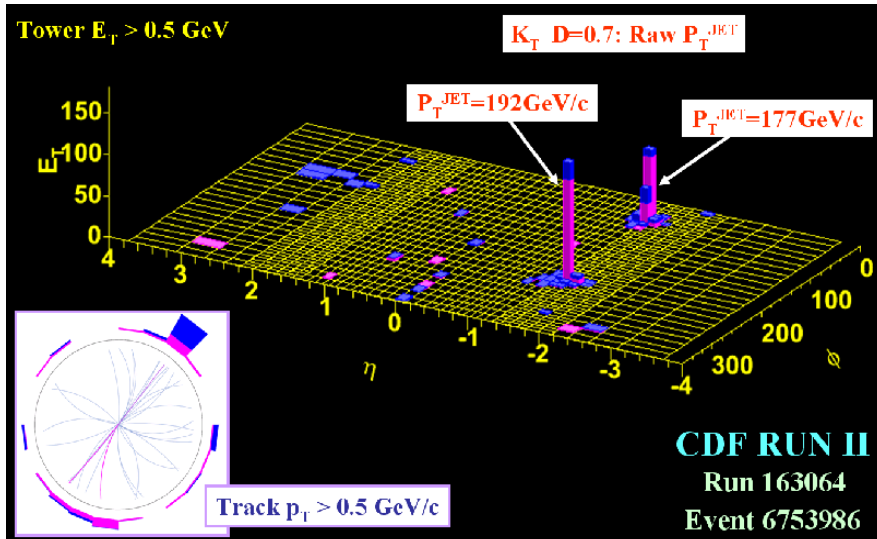
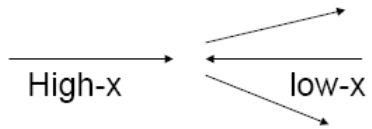
# Run I cross section



- Excess at high- $E_T \rightarrow$  new physics?
- Important gluon-gluon and gluon-quark contributions at high- $E_T$
- Gluon pdf at high- $x$  not well known



# Cross section vs $\eta$

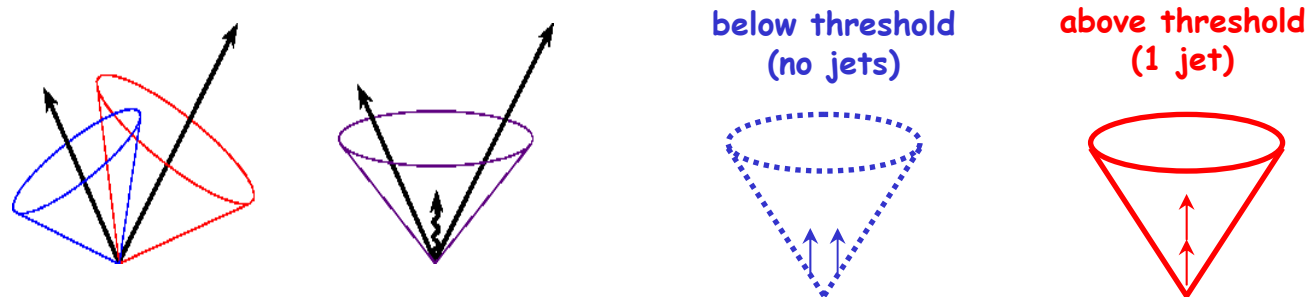


Measurements in the forward region allow to constrain the gluon distribution

# Jet Measurement: Cone algorithms

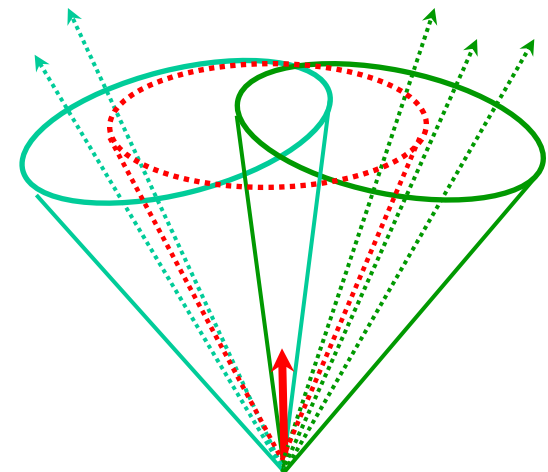
Precise jet search algorithm necessary to compare with theory

→ Run I cone-based algorithm is not infrared/collinear safe to all orders in p-QCD



→ Run II ⇒ new cone-based algorithm: **MidPoint**

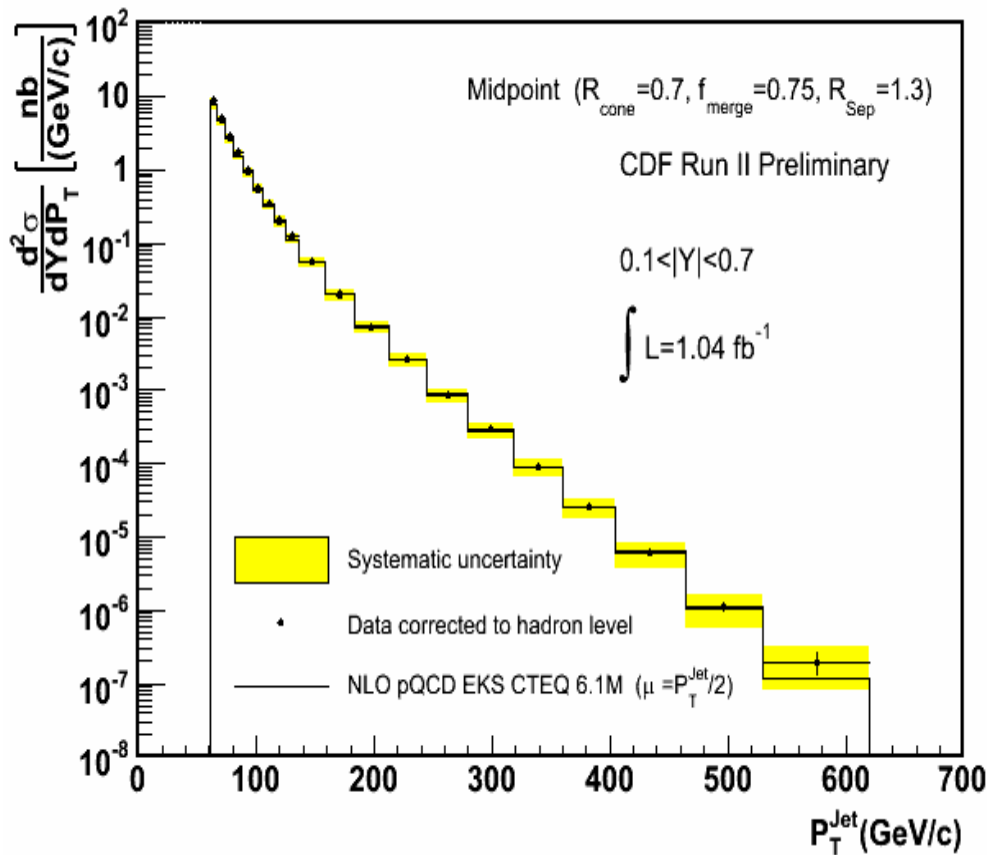
1. Draw a cone of radius  $R$  around each seed (CAL tower with  $E > 1\text{GeV}$ ) and form "proto-jet"
2. Draw new cones around "proto-jets" and iterate until stable cone
3. Put seed in Midpoint ( $\eta$ - $\phi$ ) for each pair of proto-jets separated by less than  $2R$  and iterate for stable jet
4. Merging/Splitting



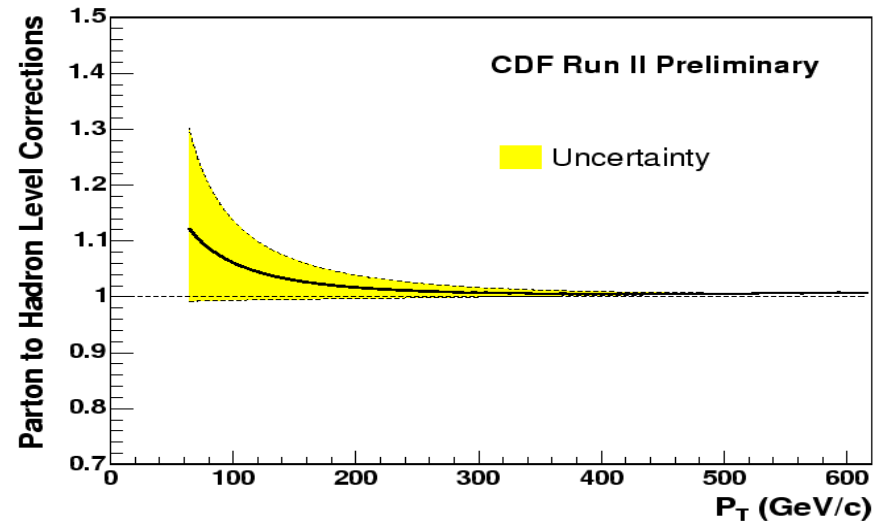
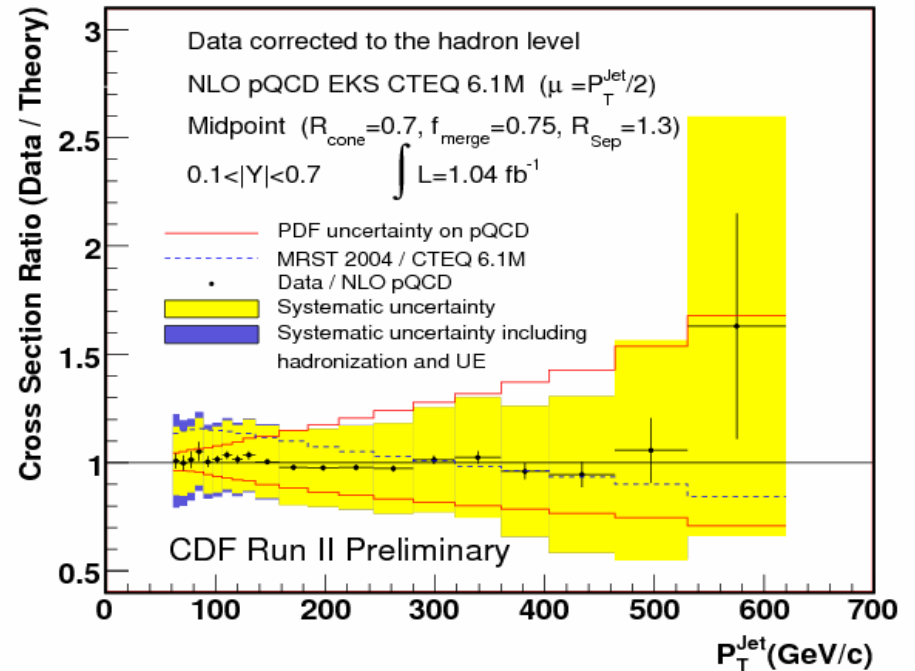


# Jets cross sections using MidPoint( $\sim 1\text{fb}^{-1}$ )

Results  $0.1 < |\Upsilon^{\text{Jet}}| < 0.7$

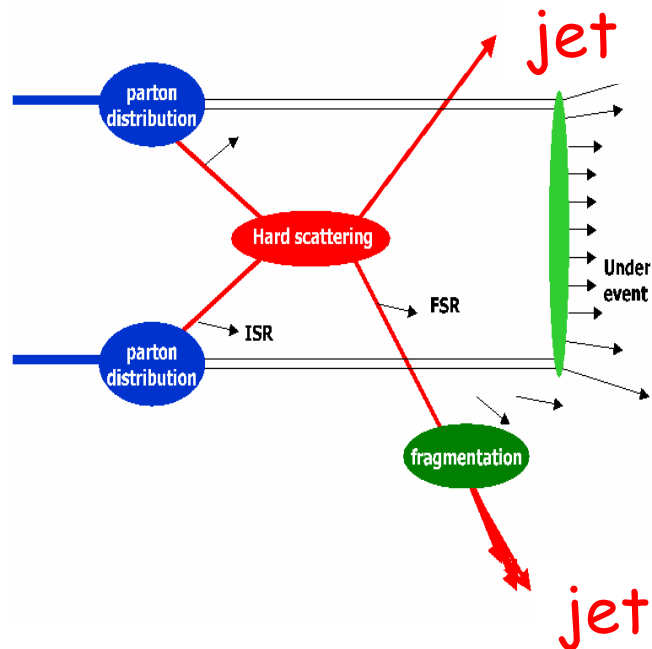


Good agreement with NLO

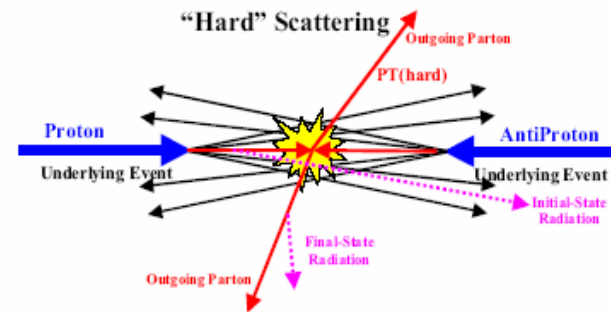


# NLO corrections

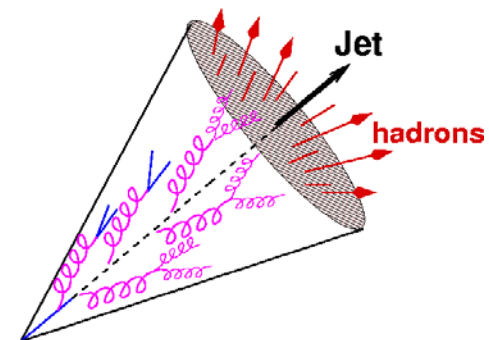
For comparison to NLO pQCD calculations corrections have to be applied for Underlying event and Hadronization effect (model dependent)



## Underlying event



## Hadronization



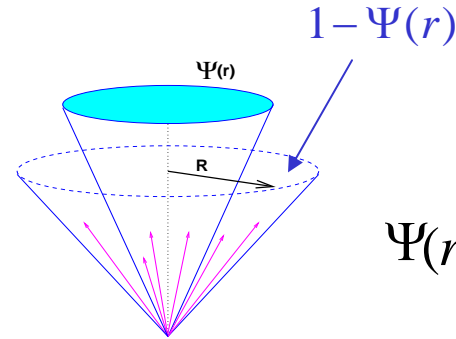
- Correction parton-hadron level based on PYTHIA Tune A MC



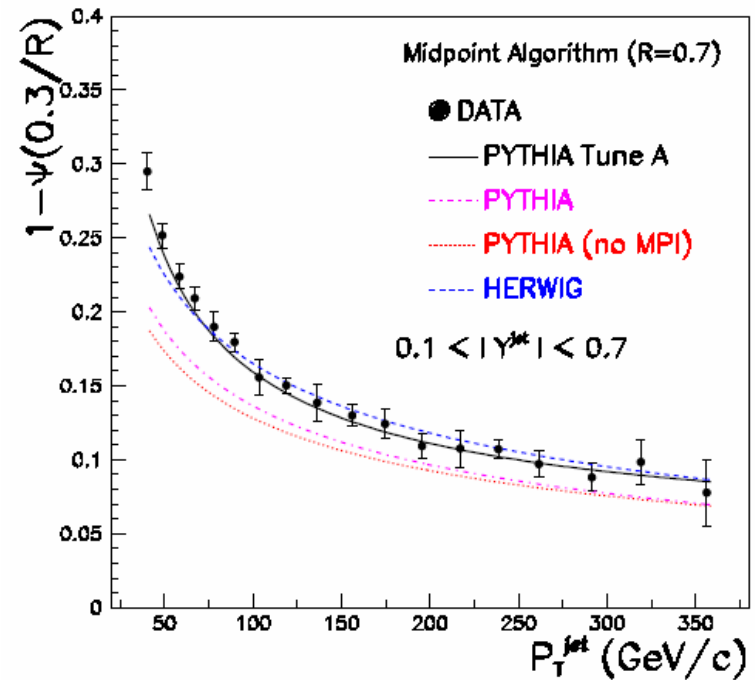
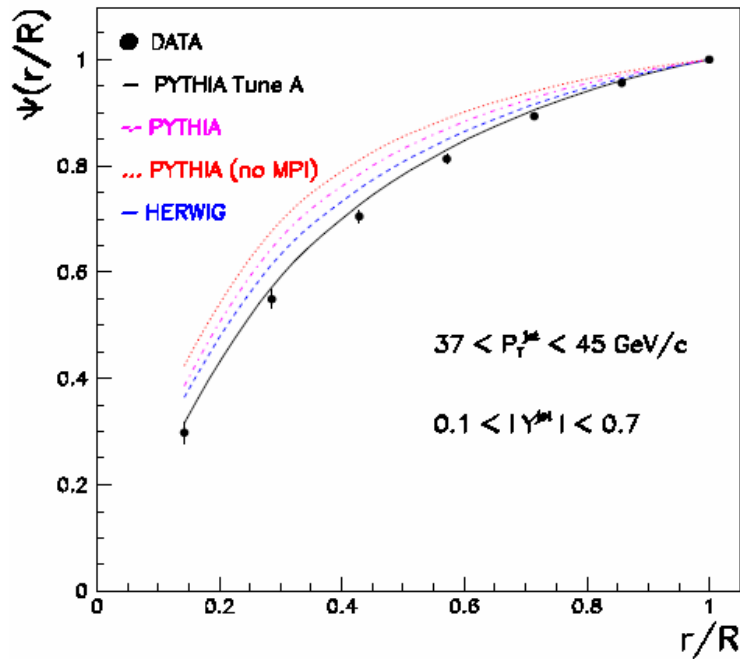
# MC modeling

→ Jet Shape measurements

- Test of **parton shower** models
- Sensitive to the **underlying event**



$$\Psi(r) = \frac{1}{N_{jets}} \sum_{jets} \frac{P_T(0,r)}{P_T(0,R)}$$



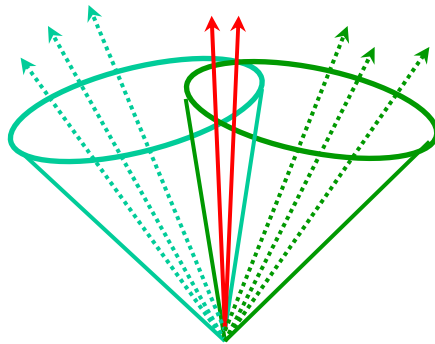
CDF publication: [Phys. Rev. D71, 112002 \(2005\)](#)

- PYTHIA Tune A provides a proper modeling of the underlying event contributions

# MidPoint algorithm: merging/splitting

→ Look for possible overlap

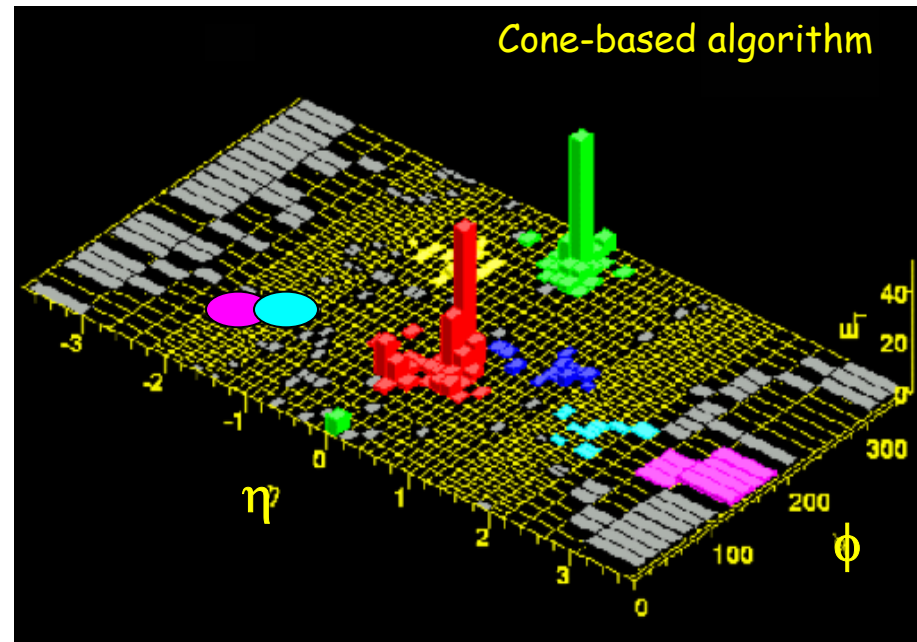
- Cone-based jet algorithms include an “experimental” prescription to resolve situations with overlapping cones



merged if common E is more than 75 % of smallest jet



This is emulated in pQCD theoretical calculations by an arbitrary increase of the cone size :  $R \rightarrow R' = R * R_{sep}$

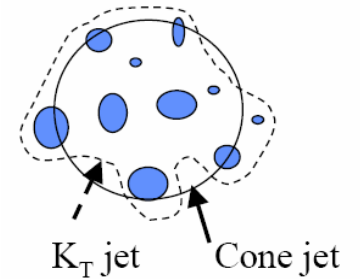


- Theory suggests to separate jets according to their relative transverse momentum

# $K_T$ algorithm

→  $K_T$  Algorithm preferred by theorists

- Separate jets according to their relative transverse momentum



1. Compute for each pair (i,j) and for each particle (i) the quantities:

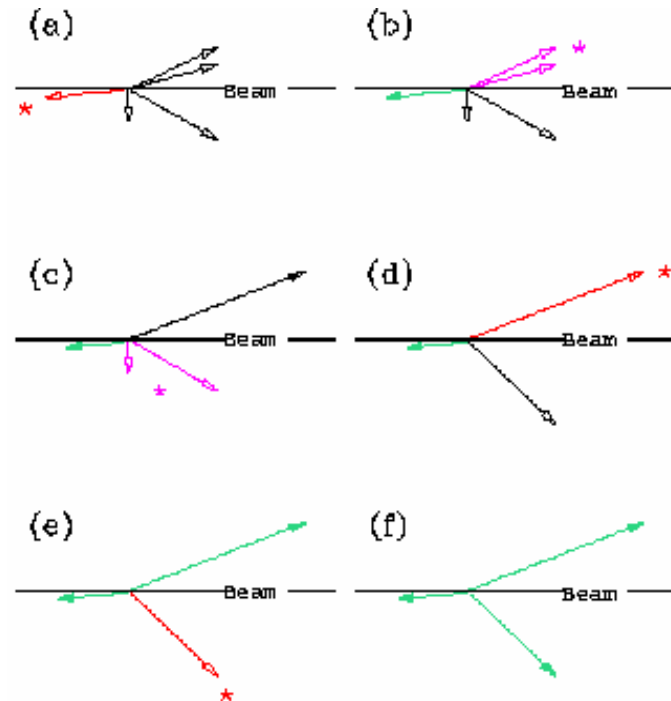
$$d_{ij} = \min(P_{T,i}^2, P_{T,j}^2) \frac{\Delta R^2}{D^2} \quad d_i = (P_{T,i})^2$$

2. Starting from smallest  $\{d_{ij}, d_i\}$ :

- If it is a  $d_i$  then it is called a jet and is removed from the list

- If it is a  $d_{ij}$  the particles are combined in "proto-jets" (E scheme)

3. Iterate until all particles are in jets

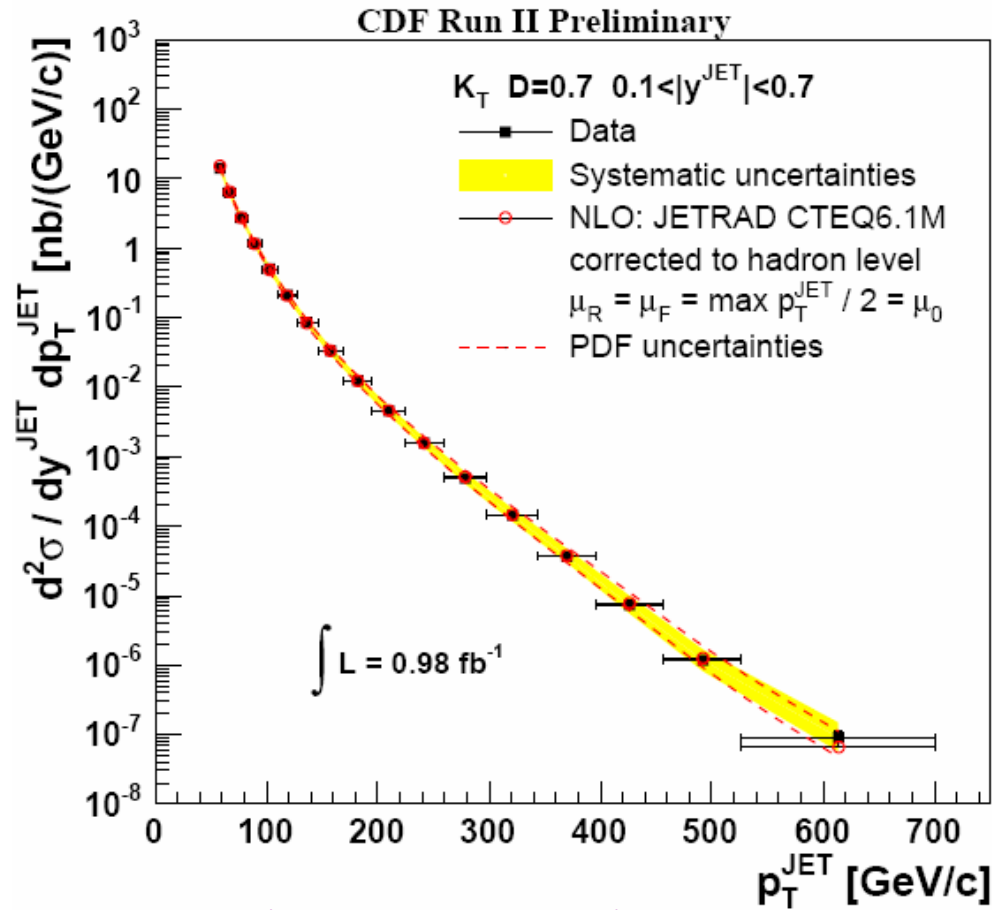


- Infrared/collinear safe to all order in p-QCD (relevant for NNLO)
- No merging/splitting parameter needed

Successfully used at LEP and HERA but its is relatively new in hadron colliders  
 ⇒ more difficult environment (Underlying Event, Multiple pp interactions)

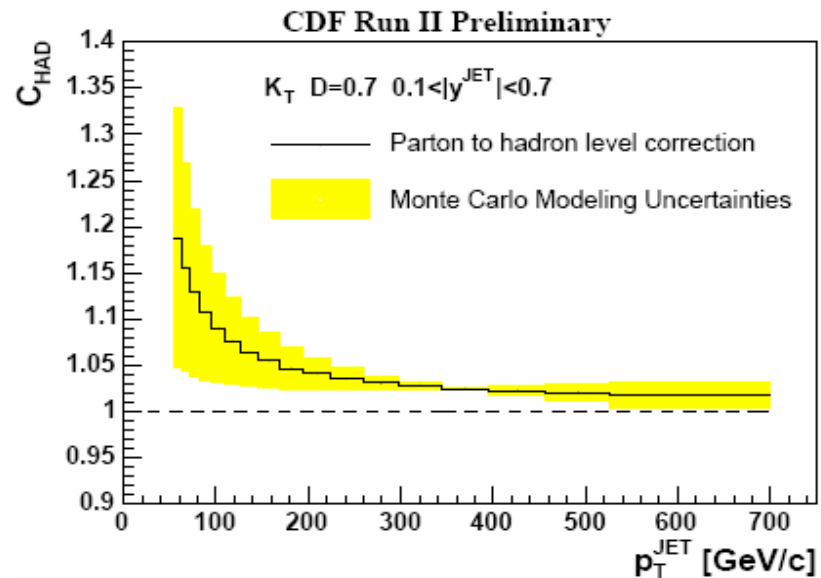
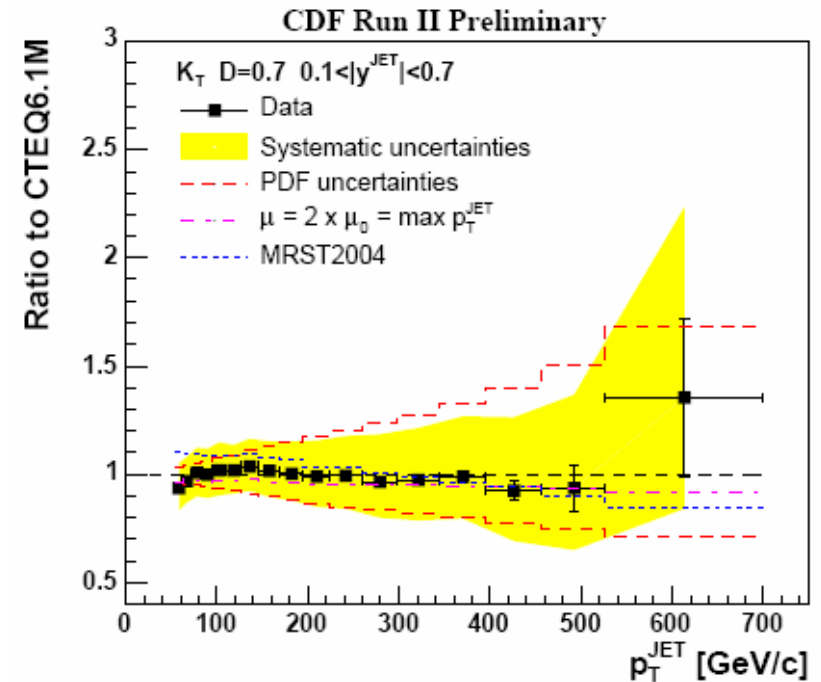
# Jets cross sections using $K_T$ ( $\sim 1\text{fb}^{-1}$ )

Results  $0.1 < |y^{\text{Jet}}| < 0.7$



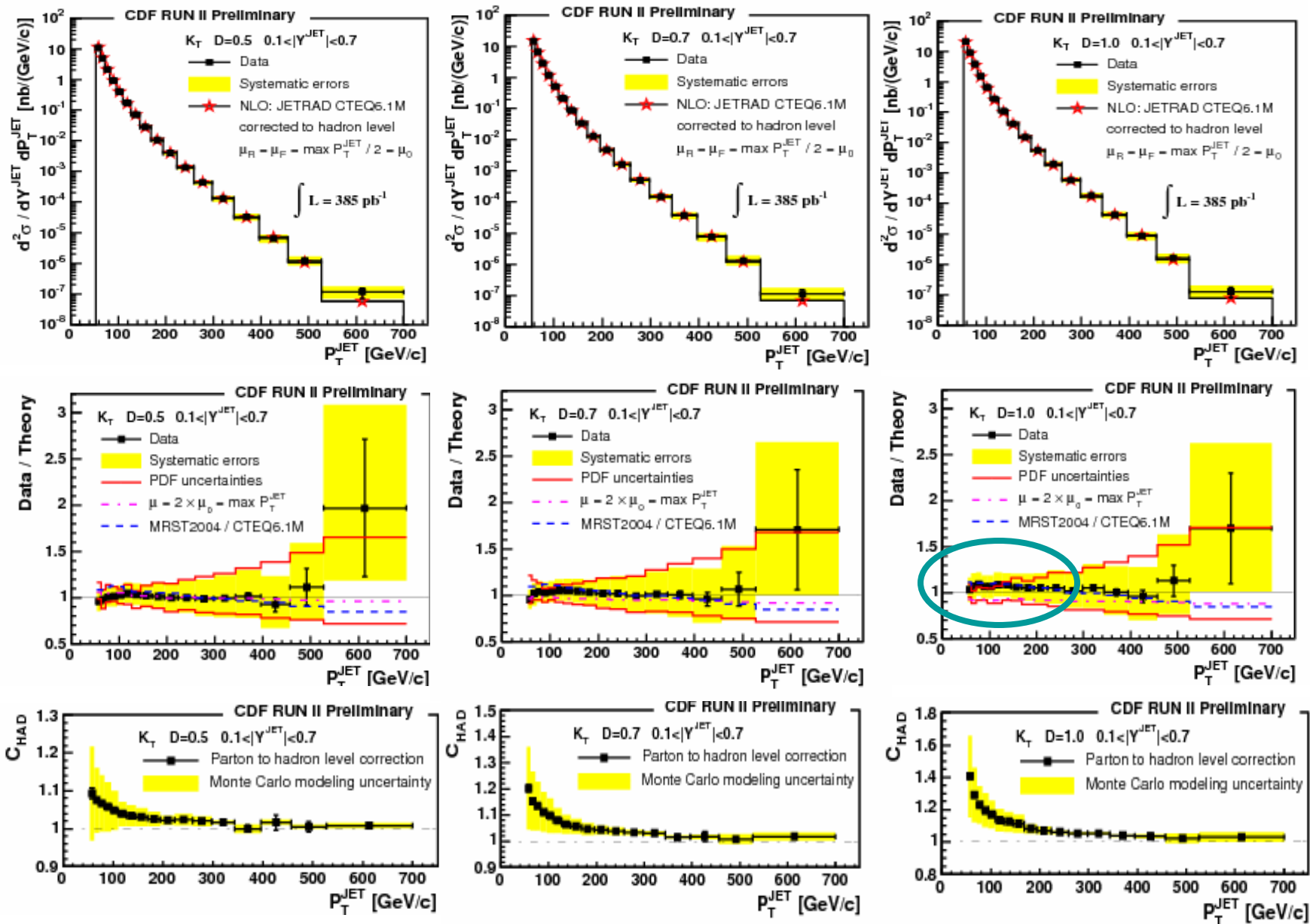
Good agreement with NLO

Recent CDF publication with  $385 \text{ pb}^{-1}$   
 Phys. Rev. Lett.96, 122001 (2006)



$$d_{ij} = \min(P_{T,i}^2, P_{T,j}^2) \frac{\Delta R^2}{D^2}$$

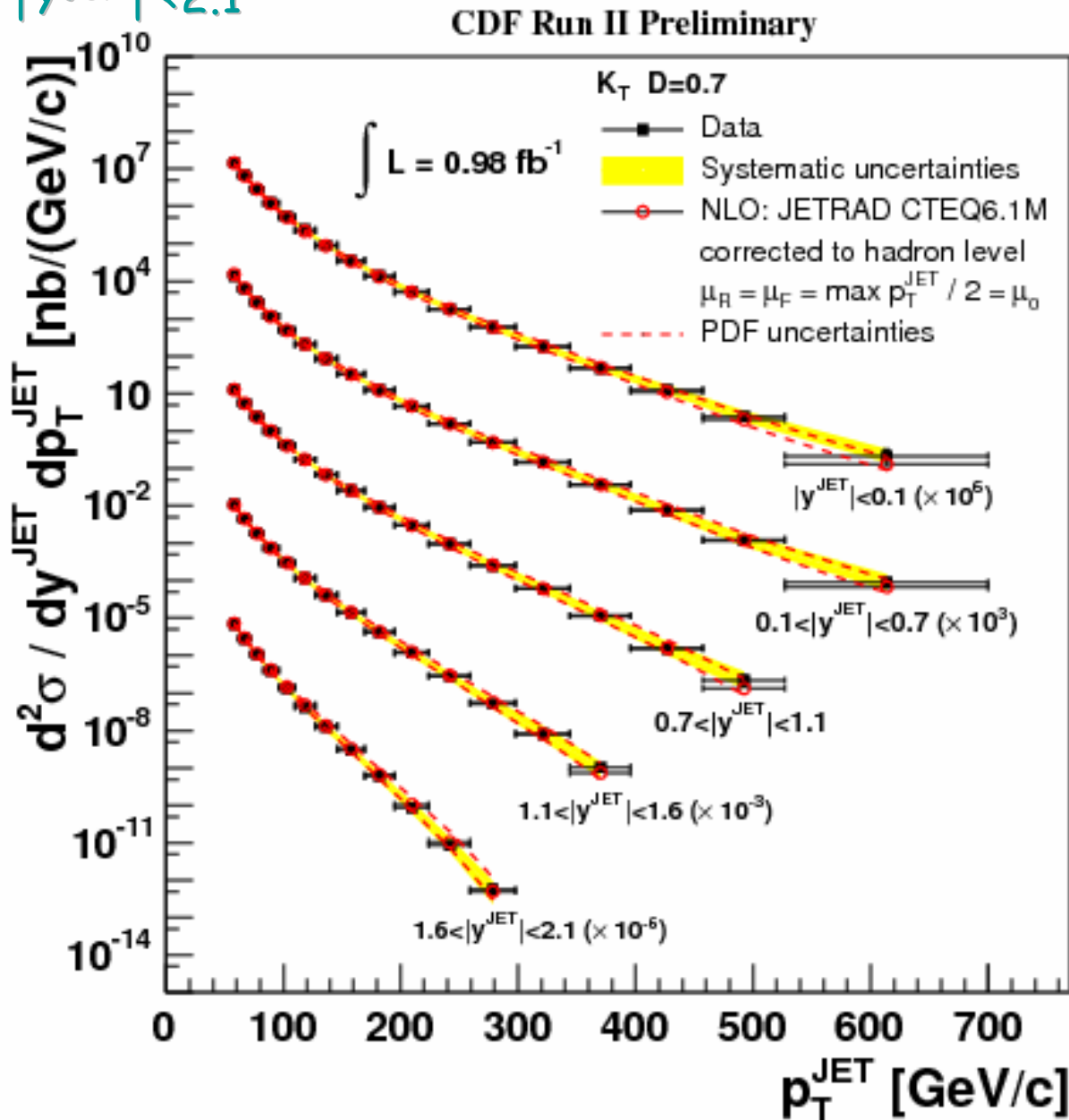
# $K_T$ Jets vs D



• Parton-hadron corrections are important at low  $P_T \rightarrow$  they are under control 13

# Jets cross sections using $K_T$ ( $\sim 1\text{fb}^{-1}$ )

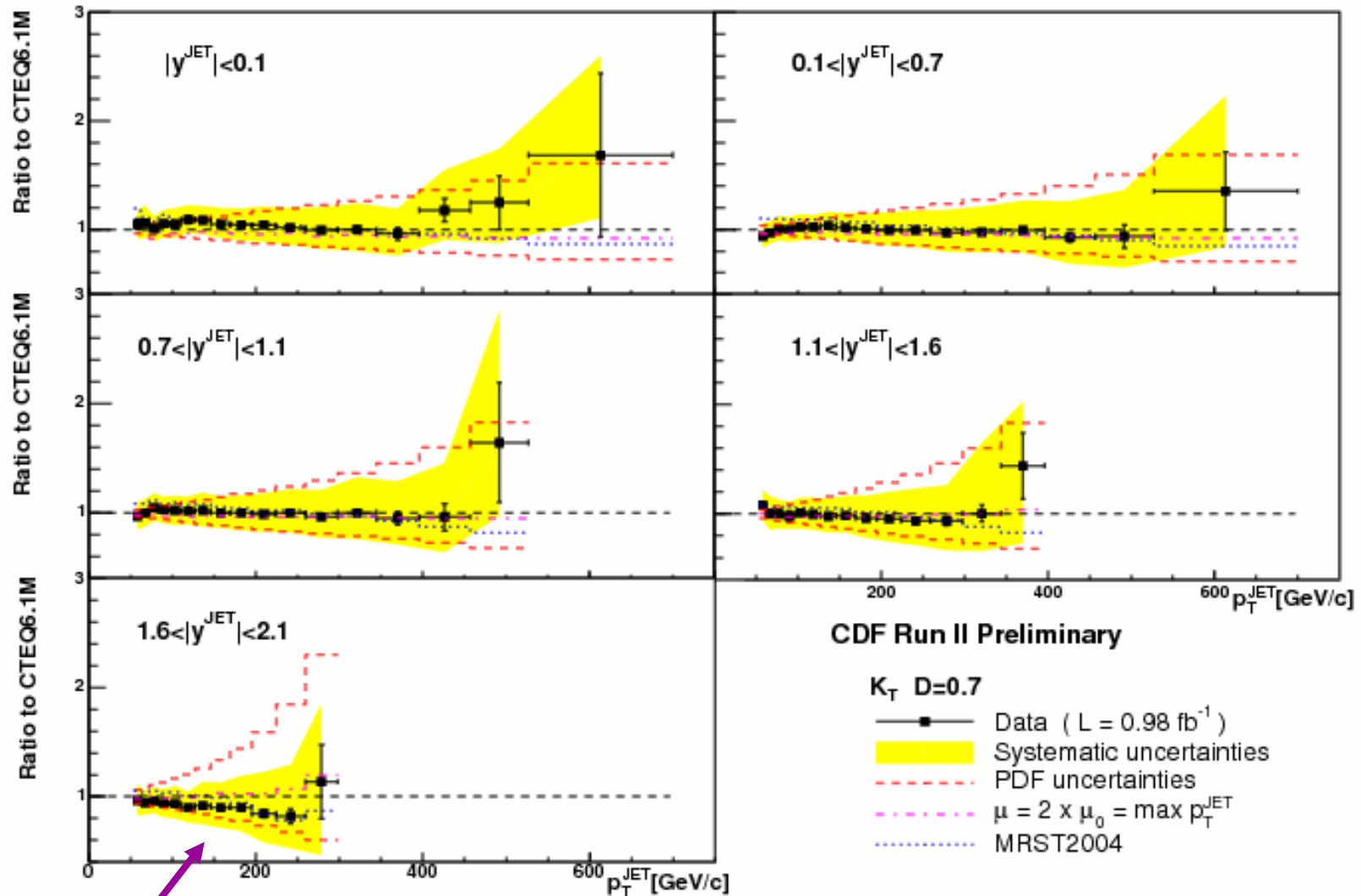
Results  $|y^{\text{Jet}}| < 2.1$



Good agreement  
with NLO



# Results with $K_T$ : Data/NLO



Measurements in the forward region will allow to reduce the PDFs uncertainties

# Summary & Conclusions

→ Inclusive jet cross section measured using  $\sim 1\text{fb}^{-1}$  of CDF Run II data in five rapidity regions (up to  $|Y^{\text{Jet}}| < 2.1$ )

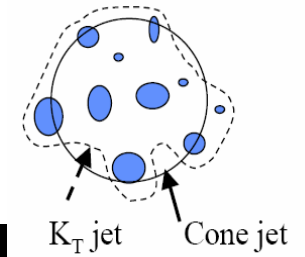
- Using the  $K_T$  algorithm and MidPoint algorithms
- Fully corrected to the hadron level
- Good agreement with theory (corrected for UE / Hadronization)

→ The  $K_T$  algorithm works fine in hadron colliders

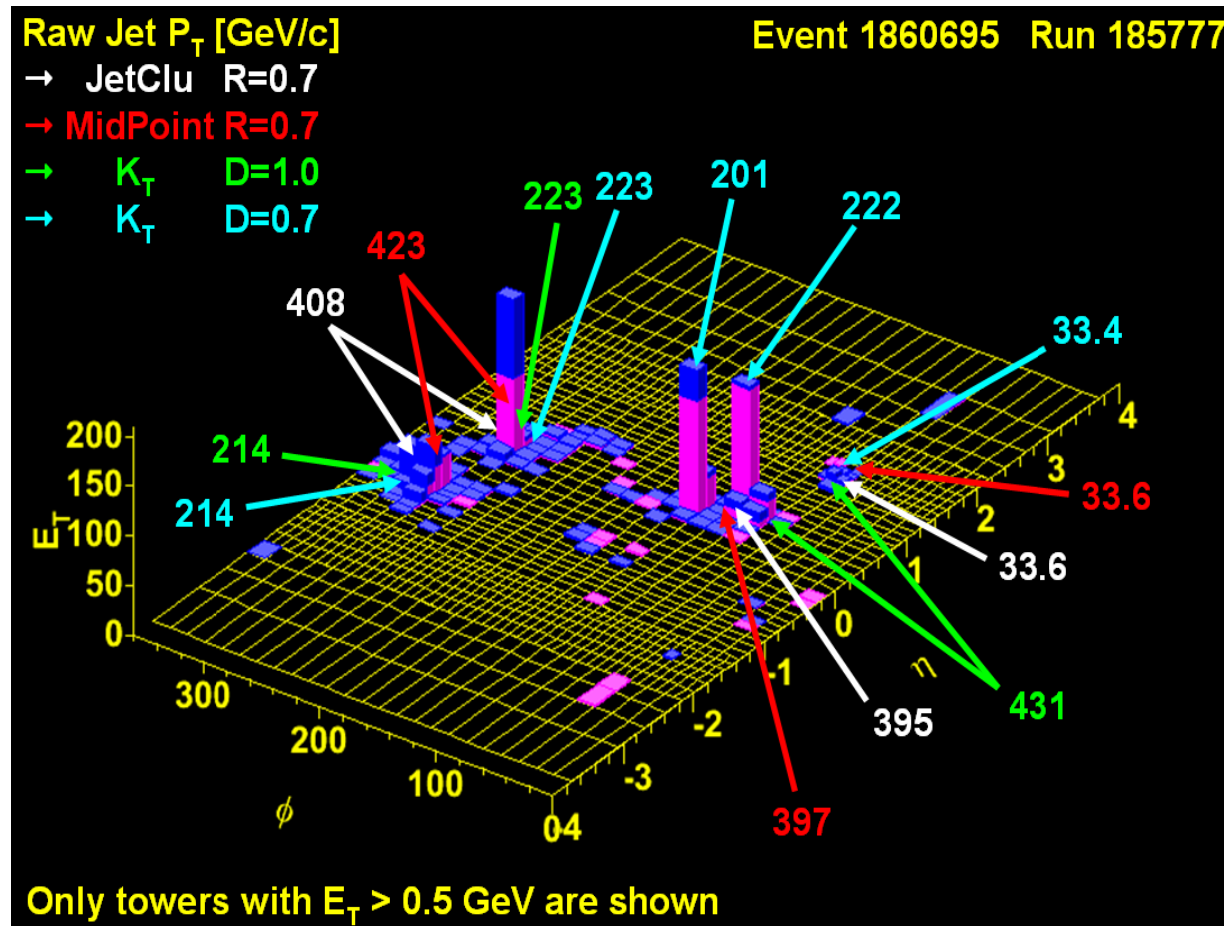
→ We hope these measurements will be used to further constrain the PDFs (gluon at high  $x$ )

Back Up

# MidPoint vs $K_T$ algorithm



→ An example:



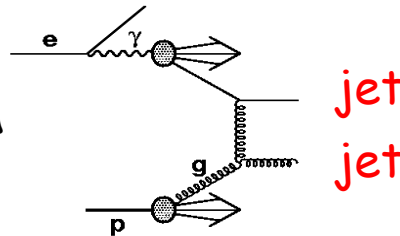
Differences in the number of jets, the jet  $E_T$  ...

Different Cross section measurement

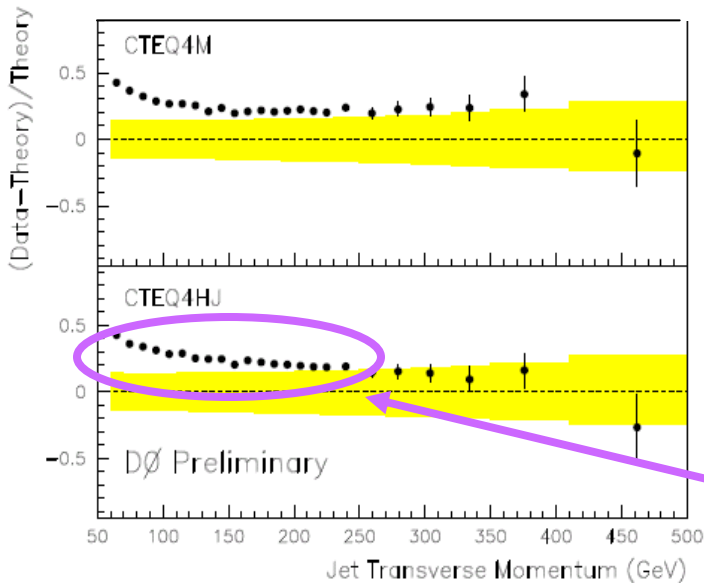
# Previous results with $K_T$ algorithm

→ Successfully used at LEP and HERA

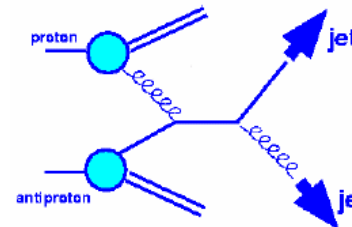
Photoproduction at HERA



→ Relatively new in hadron colliders

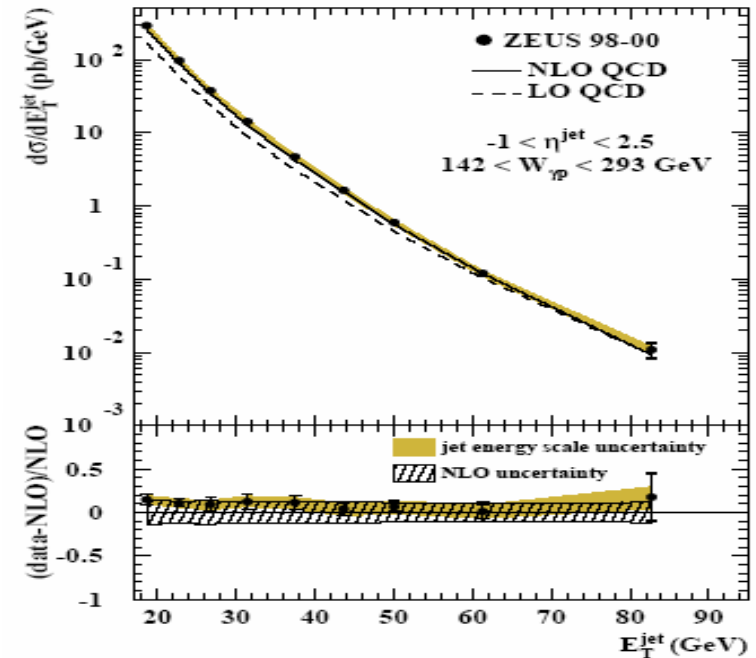


Inclusive Jet Cross Section at Tevatron (RunI)



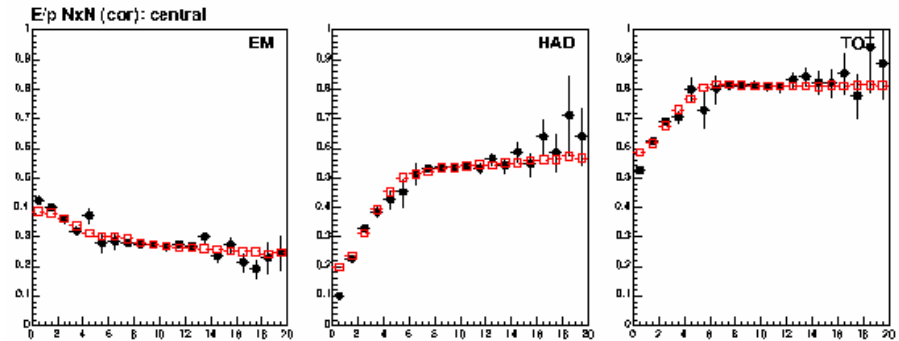
more difficult environment  
(underlying Event, Multiple  $p\bar{p}$  interactions)

ZEUS



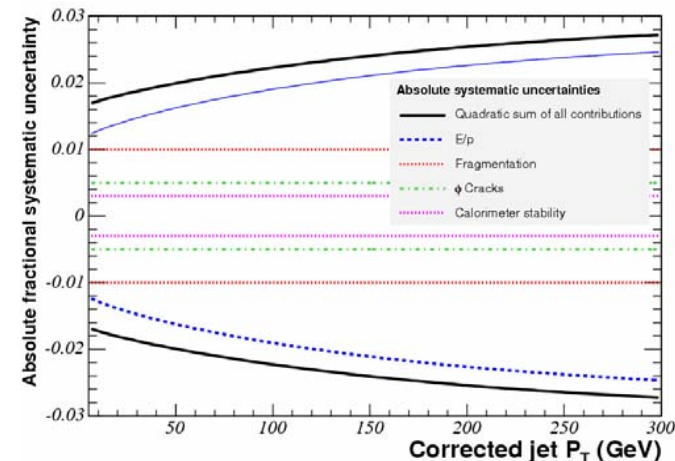
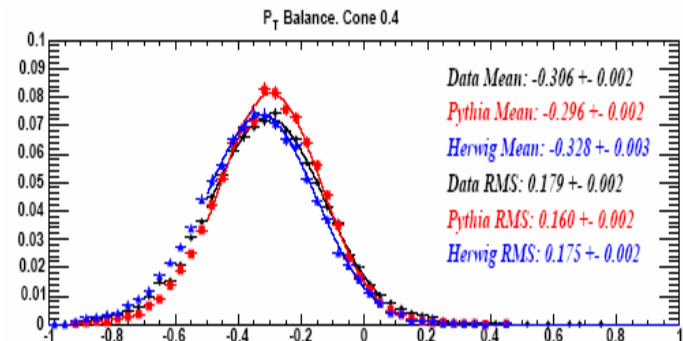
# Jet Energy scale

- Measured  $E/p$  using single particles
  - Charged pions,  $\mu$ 's (J/Psi and W decays)
  - $Z \rightarrow ee$  mass is used to set absolute EM scale
- $E/p$  used to tune the simulation
  - $\Rightarrow$  GFLASH parameterization of the showering in the calorimeter
- $\gamma$ -jet balance used to check the jet energy scale



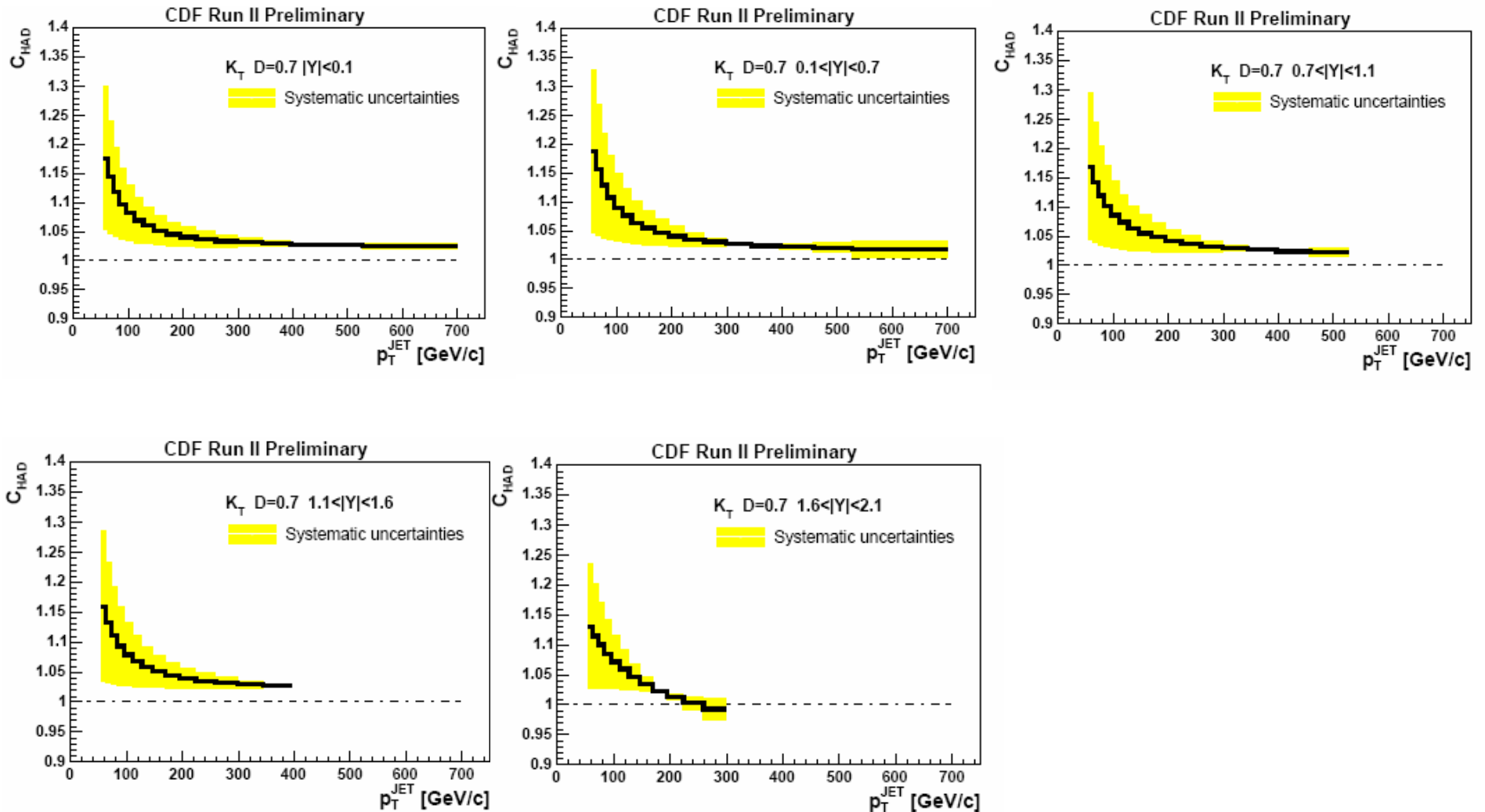
## $\rightarrow$ Systematic uncertainties

- Calorimeter simulation
  - Residual differences between data and simulation in the response of the calorimeter to single particles ( $E/p$ )
- Fragmentation
  - Spectra of the particles inside jets
- Stability
  - Calibration fluctuation with time





# UE/Hadronization corrections



# NLO calculations

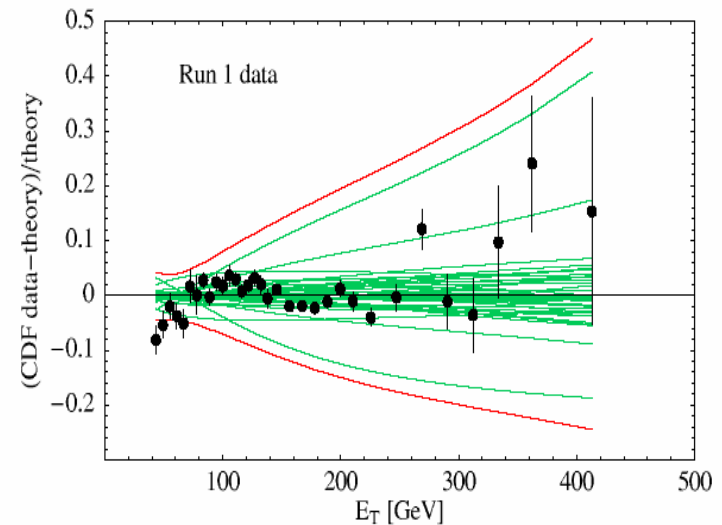
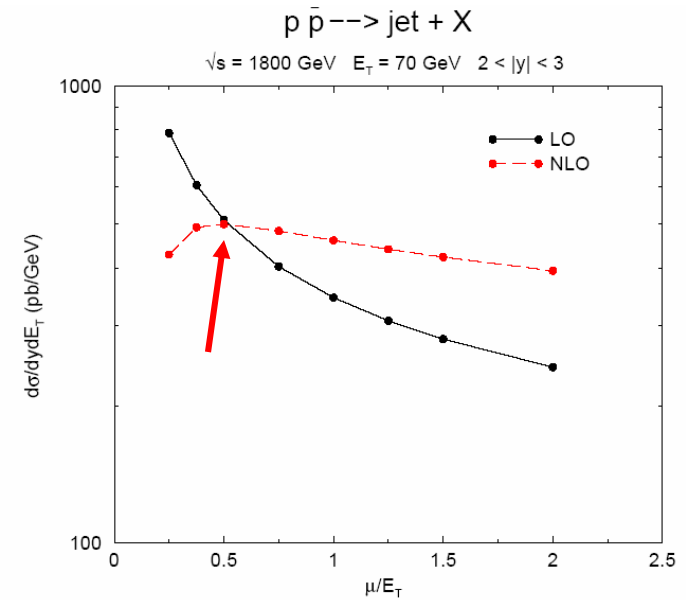
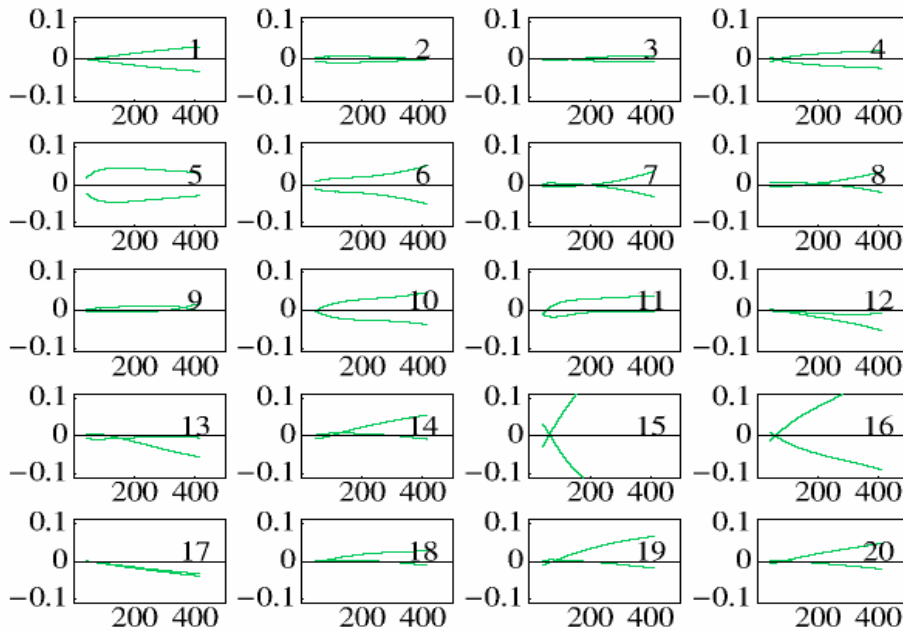
→ JETRAD CTEQ61 package

- $\mu_R = \mu_F = \text{Maximum Jet } P_T/2$

→ NLO uncertainties

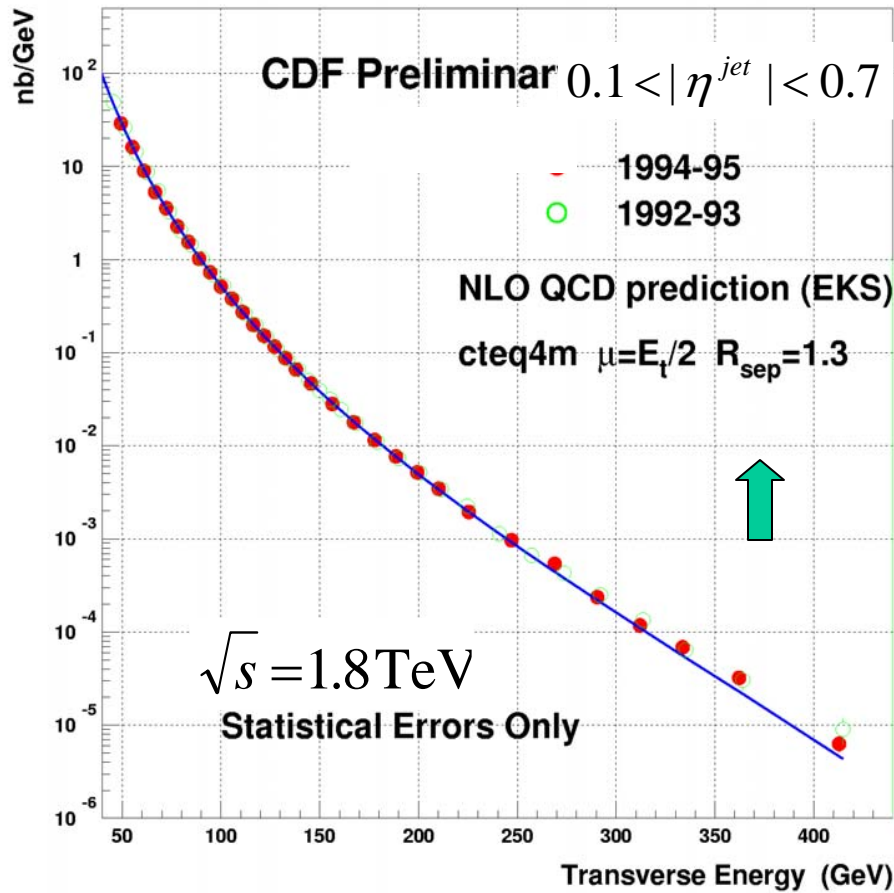
- uncertainties associated to the PDFs

Use the 40 sets corresponding to plus and minus deviations of the 20 eigenvectors



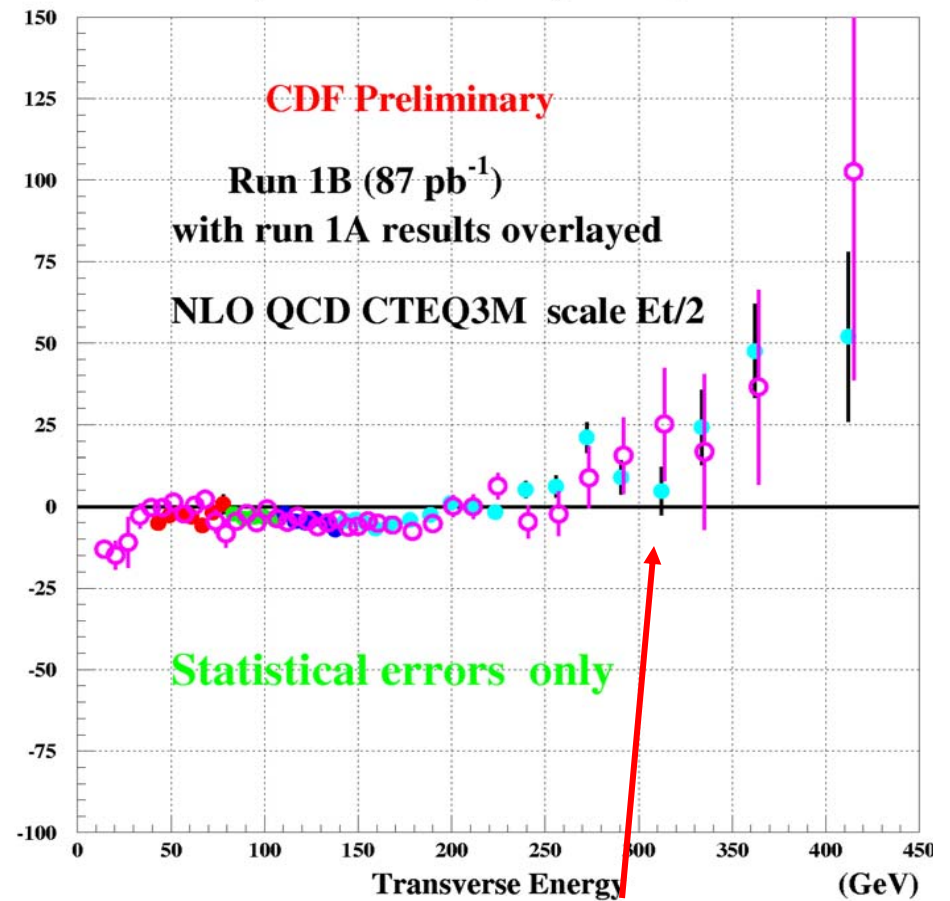
# Run I Results

Inclusive Jet cross section



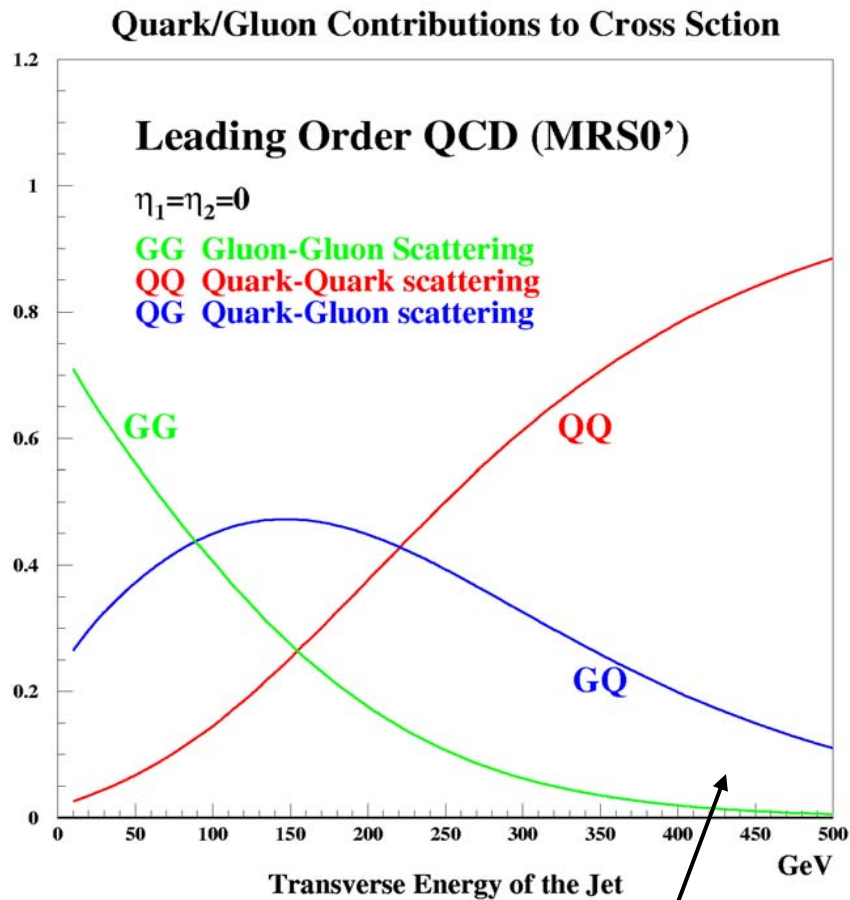
Run I data compared to pQCD NLO

(DATA-THEORY)/THEORY

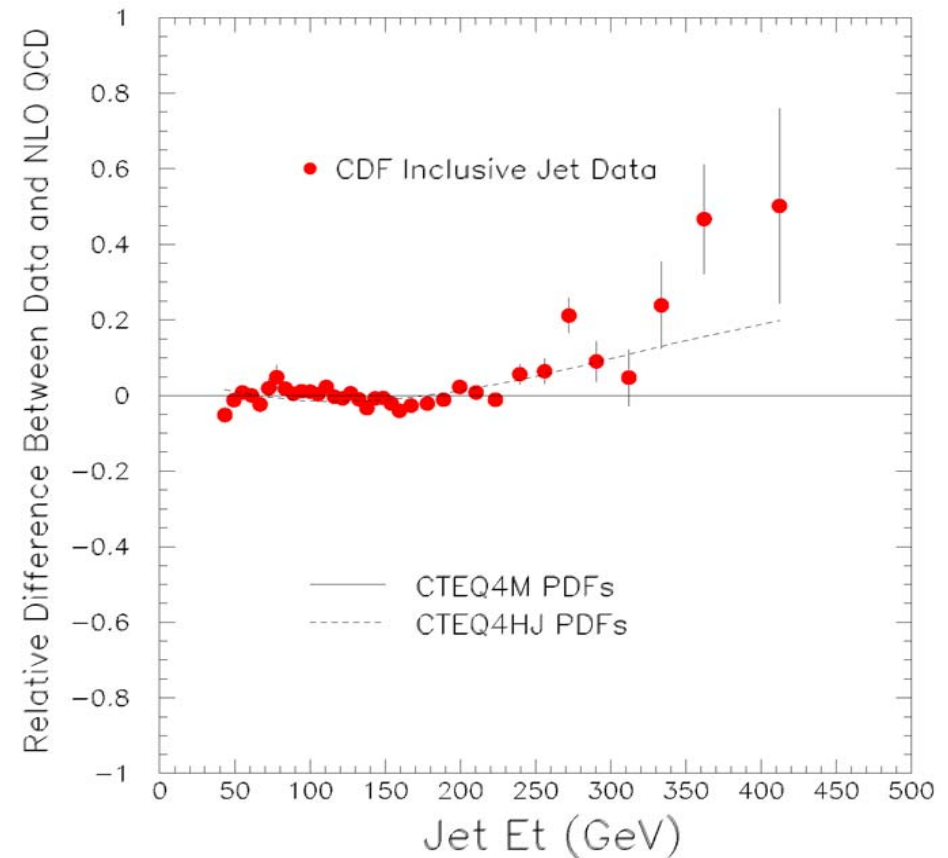


Observed deviation in tail .....  
was this a sign of new physics ?

# gluon density at high-x



Important **gluon-gluon** and **gluon-quark** contributions at high- $E_T$



Gluon pdf at high-x not well known  
 ...room for SM explanation...

# Pythia - Tune A

- Smoothed out probability of Multi-Parton Interaction (MPI) vs impact
- Enhanced Initial State Radiation
- MPIs are more likely to produce gluons than quark-antiquark pairs and MPI gluons are more likely to have color connection to p-pbar remnants

PYTHIA 6.206 Tune Set A (CTEQ5L)			
Parameter	Default †	Tune	Description
PARP(67)	1.0	4.0	Scale factor that governs the amount of initial-state radiation.
MSTP(81)	1	1	Turns on multiple parton interactions (MPI).
MSTP(82)	1	4	Double Gaussian matter distribution.
PARP(82)	1.9	2.0	Cut-off for multiple parton interactions, $P_{T0}$ .
PARP(83)	0.5	0.5	Warm Core: 50% of matter in radius 0.4.
PARP(84)	0.2	0.4	Warm Core: 50% of matter in radius 0.4.
PARP(85)	0.33	0.9	Probability that the MPI produces two gluons with color connections to the "nearest neighbors".
PARP(86)	0.66	0.95	Probability that the MPI produces two gluons either as described by PARP(85) or as a closed gluon loop. The remaining fraction consists of quark-antiquark pairs.
PARP(89)	1,000. 0	1,800.0	Determines the reference energy $E_0$ .
PARP(90)	0.16	0.25	Determines the energy dependence of the cut-off $P_{T0}$ as follows $P_{T0}(E_{cm}) = P_{T0}(E_{cm}/E_0)^{PARP(90)}$