

$\Lambda(1405)$ -induced Non-mesonic Decay in Kaonic Nuclei

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in collaboration with

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1. Introduction
2. Elementary $\Lambda(1405) N \rightarrow Y N$ non-mesonic transitions
3. Non-mesonic decay of kaonic nuclei --- $\Lambda(1405)$ doorway processes
4. Discussions
5. Summary



1. Introduction

++ Hadrons in nuclei ++

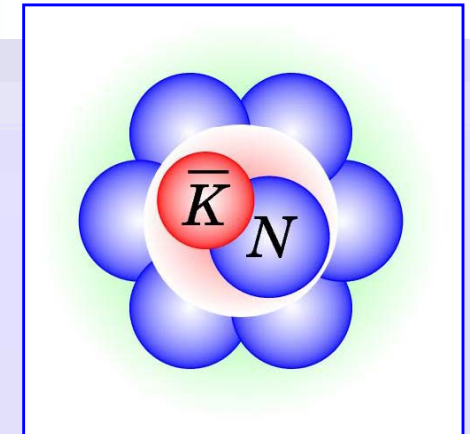
- **The properties of hadrons in nuclei** tell us some hints for understanding **the dynamics of strong interactions**.
--- Extension of “nuclear force”, dynamics in finite density,..

- **Kaonic nuclei**

- “**Strongly**” attractive interaction between $\bar{K}N$ may make kaon bound in nuclei.

- Dynamics of strong interactions including **strangeness**.

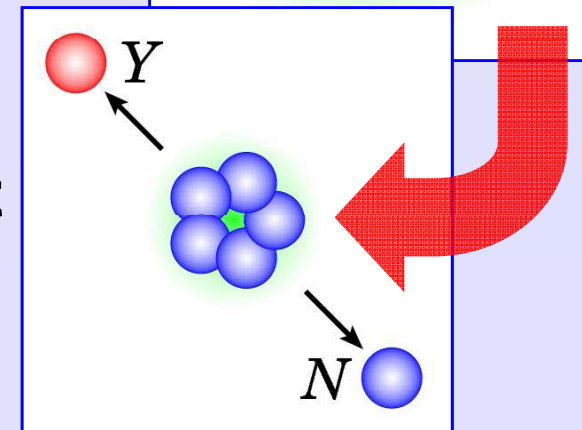
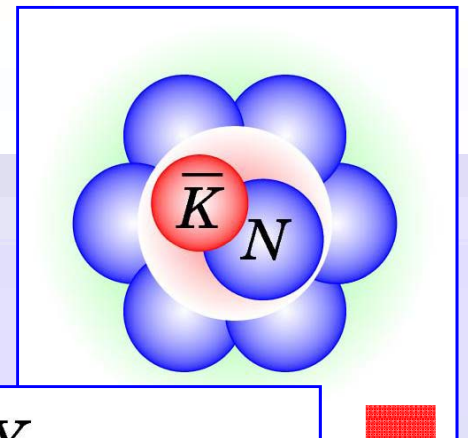
- **Systematic study of decay pattern for kaonic nuclei** is desired, since its \bar{K} absorption width is large.



1. Introduction

++ Non-mesonic decay of kaonic nuclei ++

- Consider **non-mesonic decay of kaonic nuclei**.
- $\Lambda(1405)$ doorway process ($\bar{K}N \rightarrow \Lambda(1405) \rightarrow MB$) may be the main one of non-mesonic decay.
 - $\Lambda(1405)$ ($= \Lambda^*$): $\bar{K}N$ resonant state with $I=0$.
- If $\Lambda^* = \bar{K}N$ quasi-bound state, Λ^* doorway will be more important in the kaonic nuclei.
 - $\bar{K}N$ correlations in kaonic nuclei.
- **Decay ratio $\Gamma_{\Lambda N} / \Gamma_{\Sigma N}$ will be independent from the production process.**



2. Elementary $\Lambda(1405) N \rightarrow Y N$

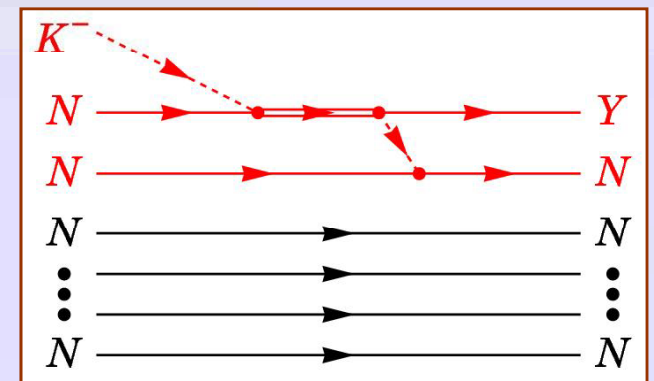
++ $\Lambda^* N \rightarrow Y N$ transitions ++

□ Define **elementary $\Lambda^* N \rightarrow Y N$ ($Y = \Lambda$ or Σ) transition rate:**

$$\gamma_{YN} \equiv \frac{1}{4} \sum_{\text{spin}} \int d\Phi_2 |T_{YN}|^2 (2\pi)^4 \delta^4(P_{\text{tot}} - P_Y - P_N)$$

--- T_{YN} : $\Lambda^* N \rightarrow Y N$ non-mesonic transition amplitudes,
 $d\Phi_2$: phase space of final Y and N .

□ Here we consider 2 N absorption of \bar{K} : elementary $\Lambda^* N \rightarrow \Lambda N, \Sigma^0 N, \Sigma^\pm N$ (Λ^* doorway processes).



--- Final N will NOT be affected by Pauli blocking effects in nuclear medium, since its momentum is about more than 500 MeV/c.

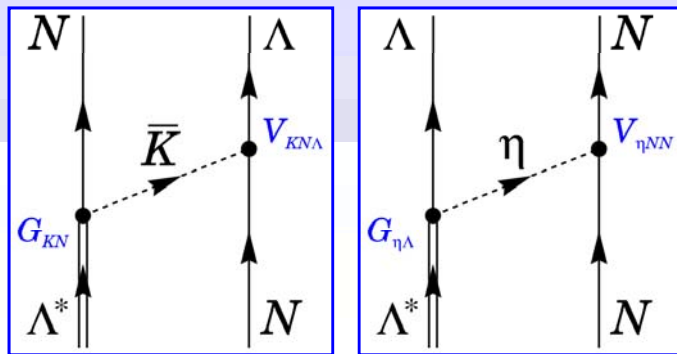


2. Elementary $\Lambda(1405) N \rightarrow Y N$

++ $\Lambda^* N \rightarrow Y N$ transitions ++

□ We choose **one-meson exchange model** for the non-mesonic $\Lambda^* N \rightarrow Y N$ transition Amp. T_{YN} .
(cf. non-mesonic decay of Λ hyper nuclei).

Jido, Oset and Palomar, *Nucl. Phys.* **A694** (2001) 525.

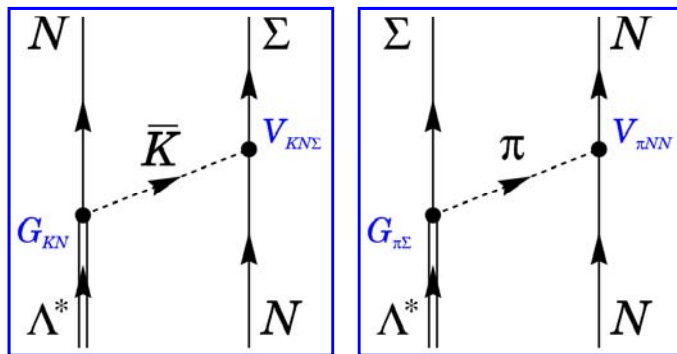


□ There are 3 parts for the diagrams.
1. **$\Lambda^* MB$ couplings G_{MB} (parameter).**

2. Meson propagators including short-range correlations.

3. **MBB three-point interaction V_{MBB} by flavor SU(3) symmetry.**

→ **Dynamics determined by G_{MB} !**

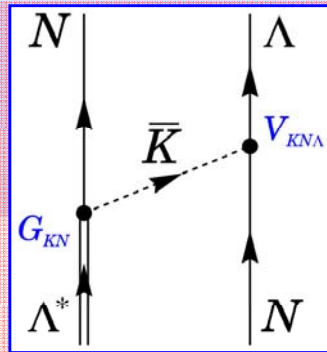


2. Elementary $\Lambda(1405) N \rightarrow Y N$

++ Properties of transition rate ++

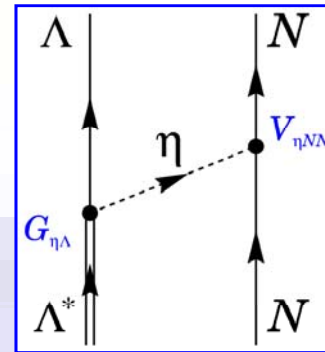
□ *MBB* couplings V_{MBB} are determined by the flavor SU(3), with Exp. fits for parameters (D and F).

ΛN :



$$V_{\bar{K}N\Lambda} \propto \frac{D + 3F}{2\sqrt{3}} \simeq 0.63$$

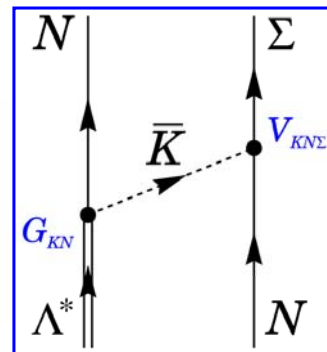
Large contribution.



$$V_{\eta NN} \propto \frac{D - 3F}{2\sqrt{3}} \simeq -0.10$$

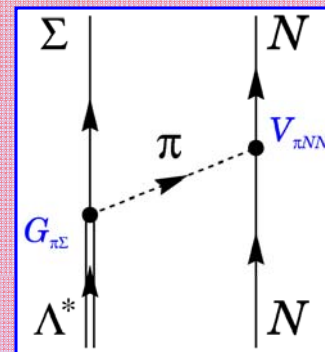
Small contribution.

ΣN :



$$V_{\bar{K}N\Sigma^0} \propto \frac{D - F}{2} \simeq 0.17$$

Small contribution.



$$V_{\pi^0 NN} \propto \frac{D + F}{2} \simeq 0.63$$

Large contribution.

□ We expect that Λ^* couplings G_{KN} , $G_{\pi\Sigma}$ will be important.



2. Elementary $\Lambda(1405) N \rightarrow Y N$

++ Properties of transition rate ++

□ What is the general properties of non-mesonic decay ?

→ Regarding Λ^* coupling ratio

$G_{KN} / G_{\pi\Sigma}$ as parameters, plot ratio of the transition rate

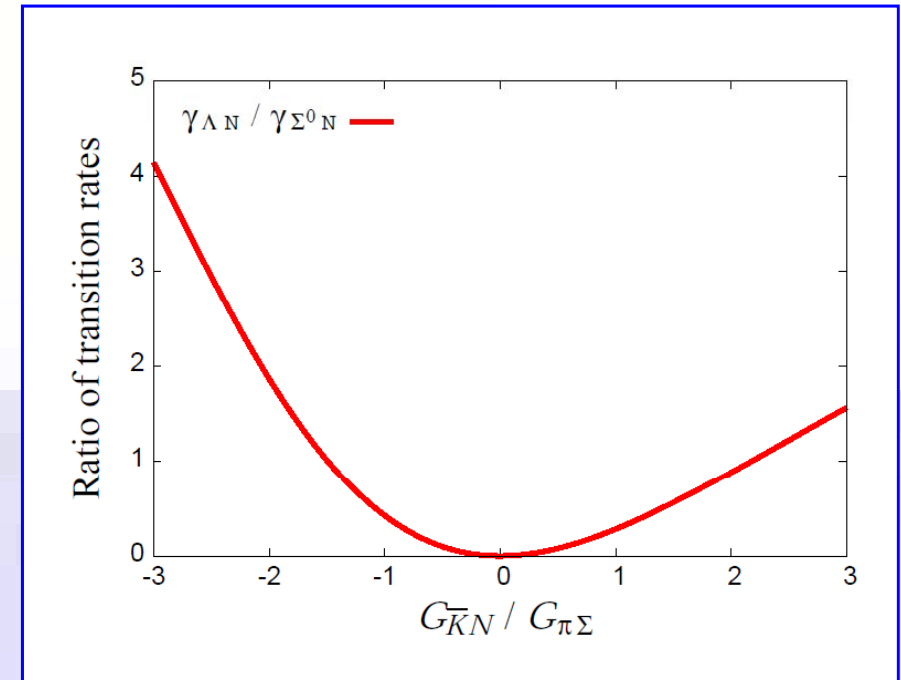
$\gamma_{\Lambda N} / \gamma_{\Sigma^0 N}$.

□ Both Λ^* and N at rest.

□ $M_{\Lambda^*} = 1420$ MeV, $G_{\eta\Lambda} = 0$.

--- Sensitive to Λ^* coupling ratio;

Larger $G_{KN} / G_{\pi\Sigma}$ leads to $\Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N}$ ratio enhancement !



2. Elementary $\Lambda(1405) N \rightarrow Y N$

++ Properties of transition rate; Comments ++

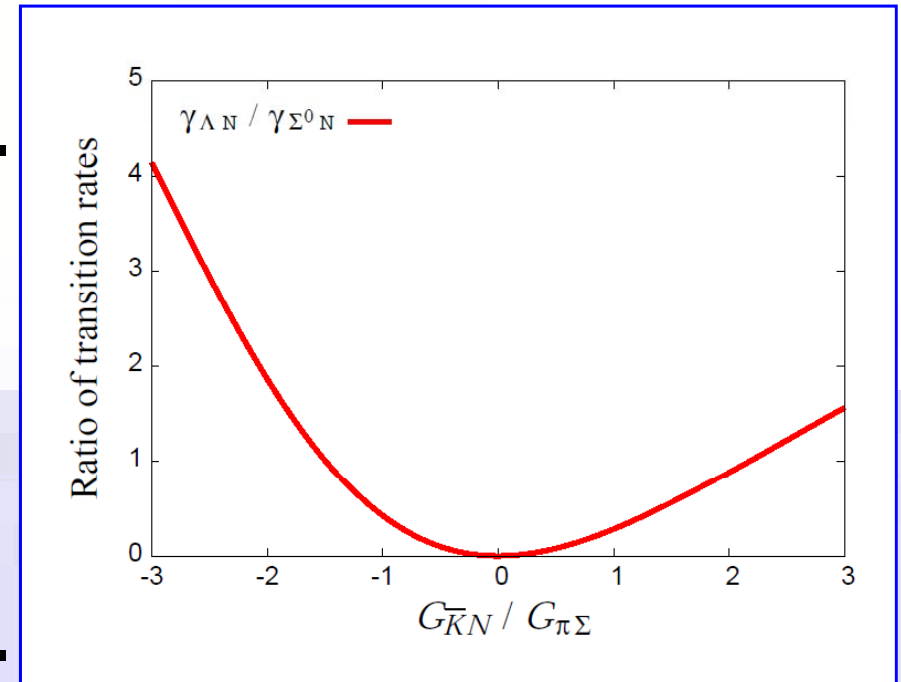
□ Λ^* mass dependence is small;
similar result in $M_{\Lambda^*} = 1405$ MeV.

□ Initial momentum (Λ^* or N)
dependence is also small.

← Due to large phase space of
final Y and N , compared with
momentum scale ~ 100 MeV/c.

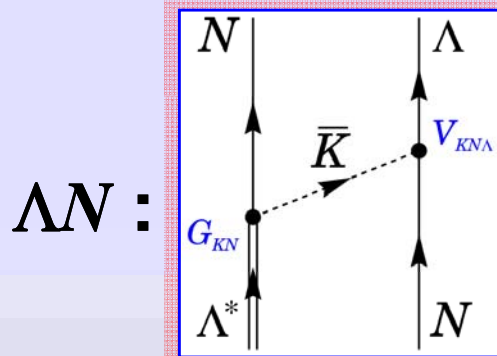
→ Similar $\Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N}$ ratio enhancement occur for
non-mesonic decay of kaons in finite nuclear density.

□ $G_{\eta\Lambda}$ dependence is also small due to small $V_{\eta NN}$.



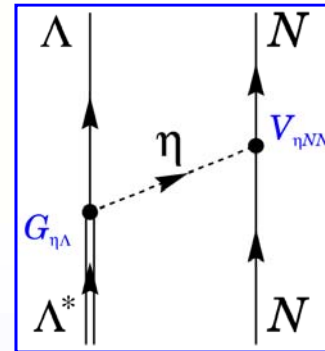
2. Elementary $\Lambda(1405) N \rightarrow Y N$

++ Short summary; $\Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N}$ enhancement ++



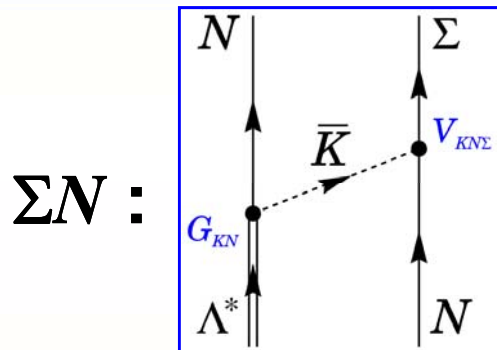
$$V_{\bar{K}N\Lambda} \propto \frac{D+3F}{2\sqrt{3}} \simeq 0.63$$

**Largest Amp.
for large G_{KN} .**



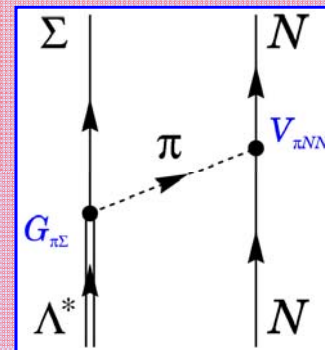
$$V_{\eta NN} \propto \frac{D-3F}{2\sqrt{3}} \simeq -0.10$$

**Small
contribution.**



$$V_{\bar{K}N\Sigma^0} \propto \frac{D-F}{2} \simeq 0.17$$

**Small
contribution.**



$$V_{\pi^0 NN} \propto \frac{D+F}{2} \simeq 0.63$$

**Largest Amp.
For large $G_{\pi\Sigma}$.**

□ **Larger Λ^* coupling $G_{KN} / G_{\pi\Sigma} \leftrightarrow \Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N}$ enhancement !**



3. Non-mesonic decay of kaonic nuclei

++ $\bar{K}N$ system in finite nuclear density ++

□ **Non-mesonic decay width**
of kaonic nuclei:

$$\Gamma_{YN}(k_F) = \int^{k_F} \gamma_{YN}(k_i)$$

--- γ_{YN} : non-mesonic transition rate ($\Lambda^*N \rightarrow YN$),

Fermi gas approximation for the initial N (nuclear matter).

□ Chiral unitary approach gives Λ^* -induced $\bar{K}N \rightarrow MB$ Amp.

$T^x_{KN \rightarrow MB}$: $\bar{K}N \rightarrow \Lambda^* \rightarrow MB$ process.

→ Ratio of transition $T^x_{KN \rightarrow MB}$ at Λ^* peak (=1420 MeV) is equal to Λ^*MB coupling ratio, as a good approximation:

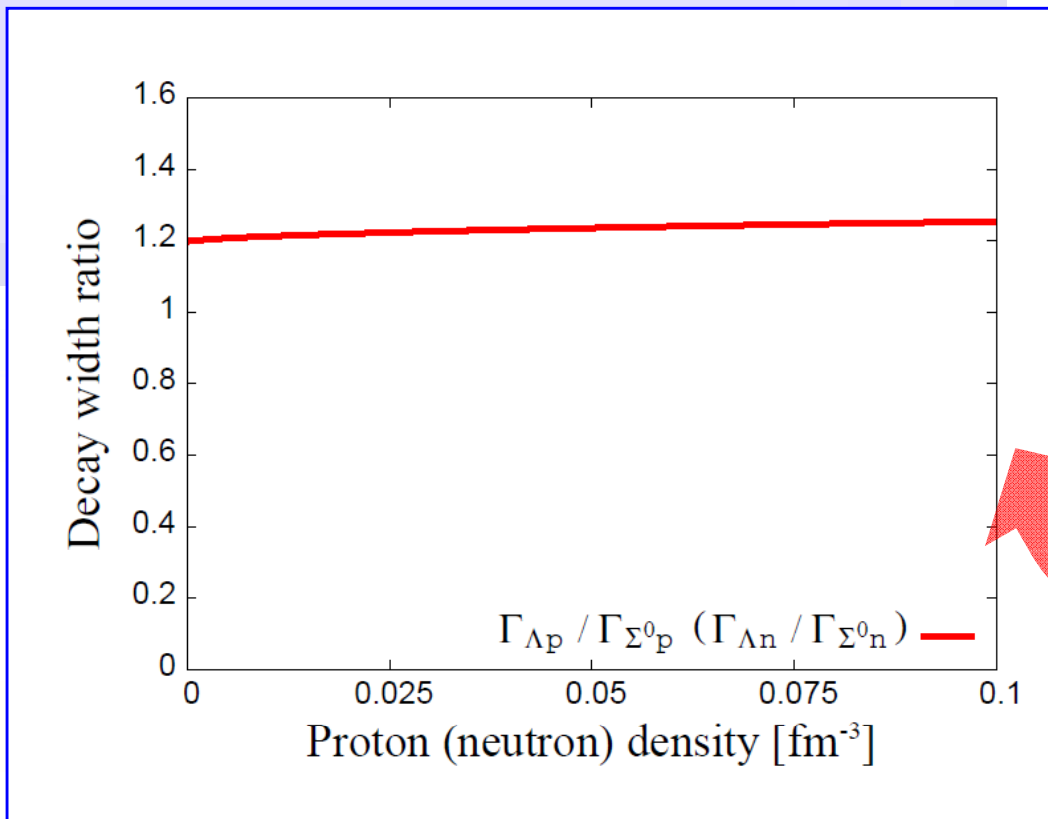
$$\frac{G_{\bar{K}N}}{G_{\pi\Sigma}} = \left. \frac{T^x_{\bar{K}N \rightarrow \bar{K}N}(W)}{T^x_{\bar{K}N \rightarrow \pi\Sigma}(W)} \right|_{W=1420 \text{ MeV}}, \quad \frac{G_{\bar{K}N}}{G_{\eta\Lambda}} = \left. \frac{T^x_{\bar{K}N \rightarrow \bar{K}N}(W)}{T^x_{\bar{K}N \rightarrow \eta\Lambda}(W)} \right|_{W=1420 \text{ MeV}}$$



3. Non-mesonic decay of kaonic nuclei

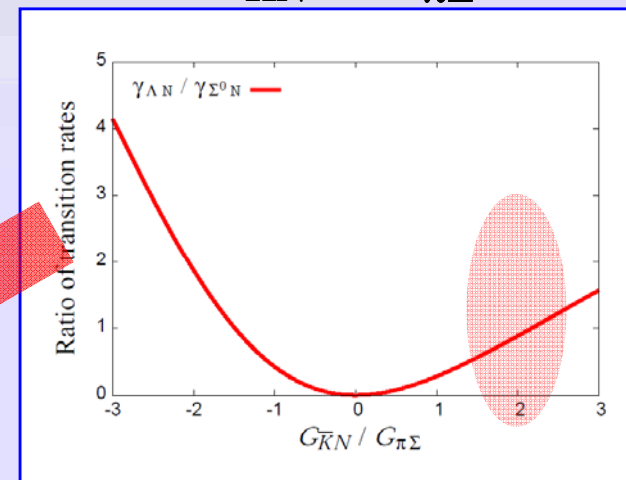
++ Branching ratio vs. baryon density ++

□ Plot branching ratio $\Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N}$ vs. nucleon density.



□ $\Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N} \sim 1.2$ in chiral unitary approach.

--- Large $G_{KN} / G_{\pi\Sigma}$.



□ Large phase space

→ Independence from ρ .

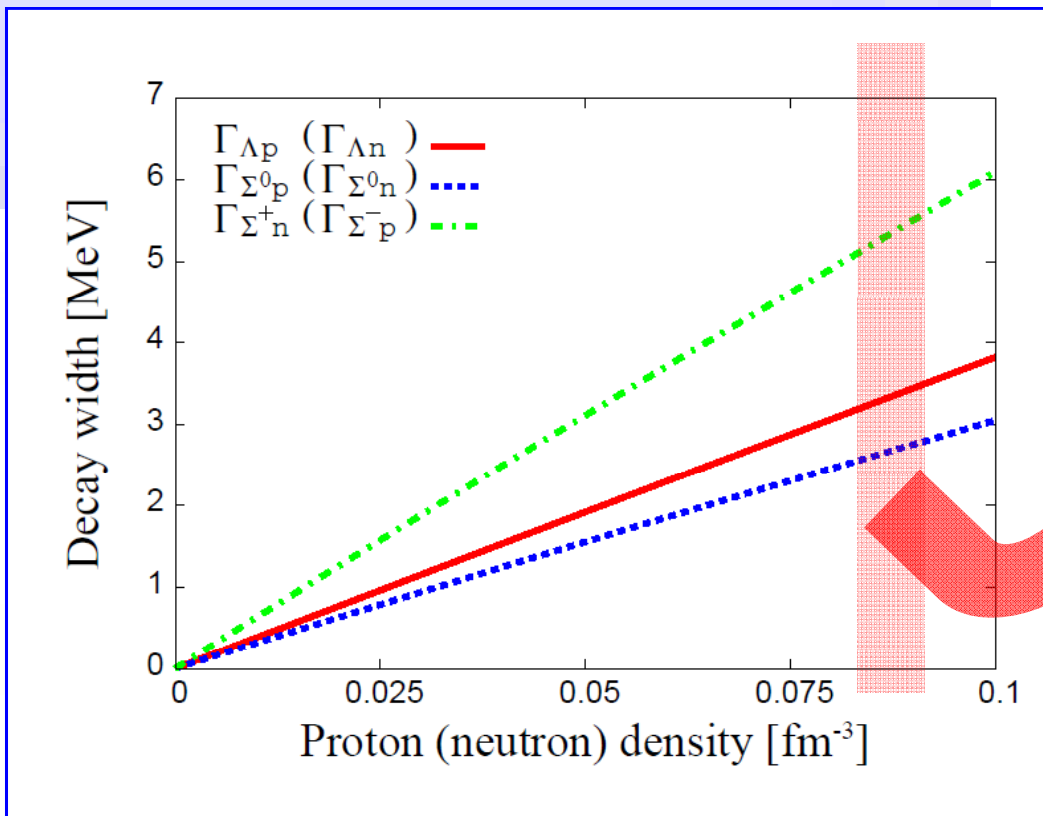


3. *Non-mesonic decay of kaonic nuclei*

++ Value of non-mesonic decay width ++

□ $\Gamma_{\Lambda^* \rightarrow \pi \Sigma} = 40 \text{ MeV}$ (obtained from chiral unitary approach)

$\leftrightarrow |G_{\pi \Sigma}| = 0.78$ at Λ^* peak position (=1420 MeV).



□ Estimate **absolute value of non-mesonic decay.**

□ Total non-mesonic decay width = 22 MeV at the saturation density

($\Gamma_{\Lambda N} = 7 \text{ MeV}$, $\Gamma_{\Sigma^0 N} = 5 \text{ MeV}$, $\Gamma_{\Sigma^{\pm} N} = 10 \text{ MeV}$).

--- About half of $\Lambda^* \rightarrow \pi \Sigma$.

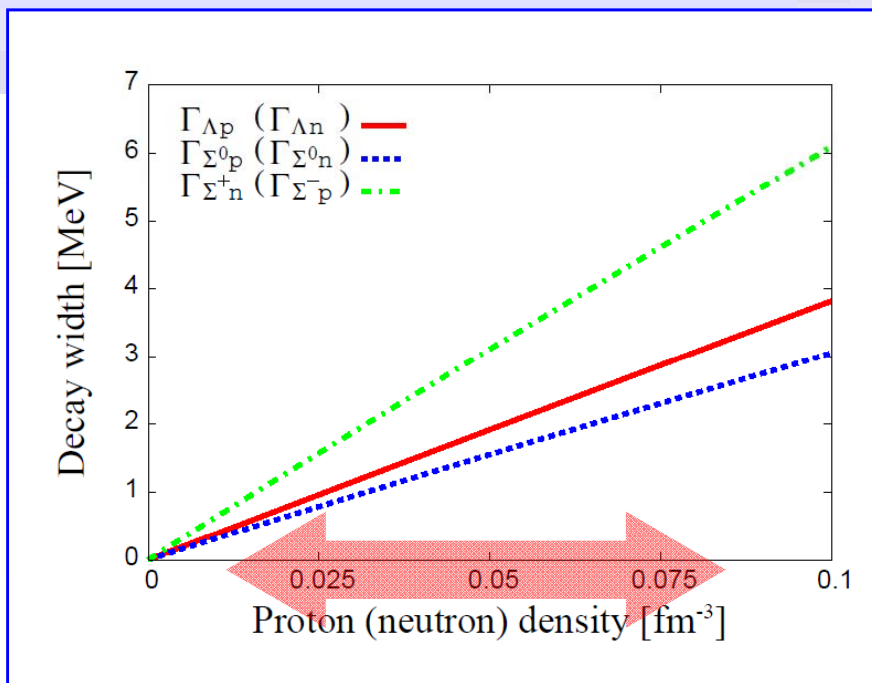


4. Discussions

++ Non-mesonic decay width of $\bar{K}NN$ ++

- In our approach **the non-mesonic decay width of $\bar{K}NN$** can roughly be estimated **if density between NN is known** (in the Ansatz that $\bar{K}N$ is Λ^* in the $\bar{K}NN$).

--- Density between NN relates to non-mesonic decay width.



4. Discussions

++ Non-mesonic decay width of $\bar{K}NN$ ++

□ Examine our results in comparison with non-mesonic decay width of $\bar{K}NN$ in other approach.

-- Dote-Hyodo-Weise estimates **non-mesonic decay width**

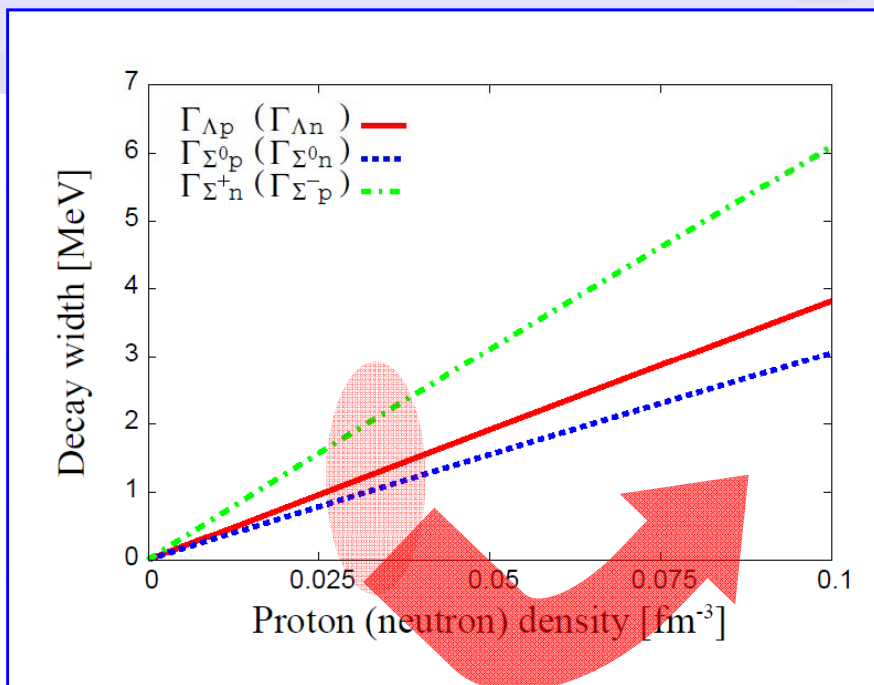
= 4 ~ 12 MeV for K^-pp system,

with prediction of 0.03 fm^{-3}
as the maximum NN density.

Dote, Hyodo, Weise, Phys. Rev. C79 (2009) 014003.

□ Our approach indicates total
width ~ 5 MeV at 0.03 fm^{-3} .

→ **Consistent results!**



5. Summary

++ Summary ++

- We investigate **non-mesonic decay of kaonic nuclei** with one-meson exchange **under the $\Lambda(1405)$ doorway process.**
- Branching ratio $\Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N}$ is sensitive to Λ^* couplings.
--- **Larger $G_{KN} / G_{\pi\Sigma} \leftrightarrow \Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N}$ enhancement.**
- Using chiral unitary approach we obtain branching ratio $\Gamma_{\Lambda N} / \Gamma_{\Sigma^0 N} \sim 1.2$ for non-mesonic decay of kaonic nuclei.
- **Total non-mesonic decay width is about 22 MeV** at saturation density. --- About half of $\Lambda^* \rightarrow \pi\Sigma$ decay width.
- Consistent width for $\bar{K}NN$ system with Dote-Hyodo-Weise.



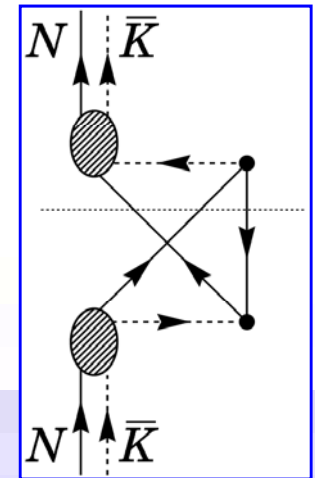
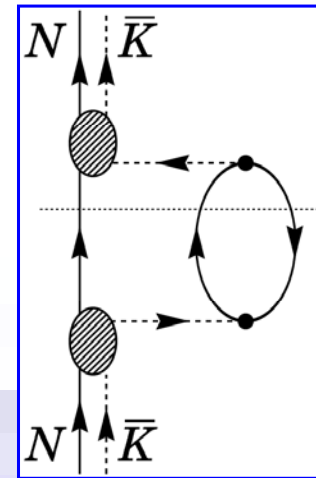
5. Summary

++ Future plan ++

□ 2 N absorption potential for \bar{K}

--- We can evaluate (imaginary) potential in the same approach.

- ${}^3\text{He} (K^-, n) K^- pp$ reaction.
(poster by Yamagata-Sekihara).



- In-medium effects on hadrons, such as by RPA Approx.
- \bar{K} absorption by deuteron \rightarrow We can see Λ^* properties?

*Thank you very much
for your kind attention.*



$\Lambda(1405)$ -induced Non-mesonic Decay in Kaonic Nuclei

